

# "Dark Energy" and "Dark Matter" in Friedmann Universes

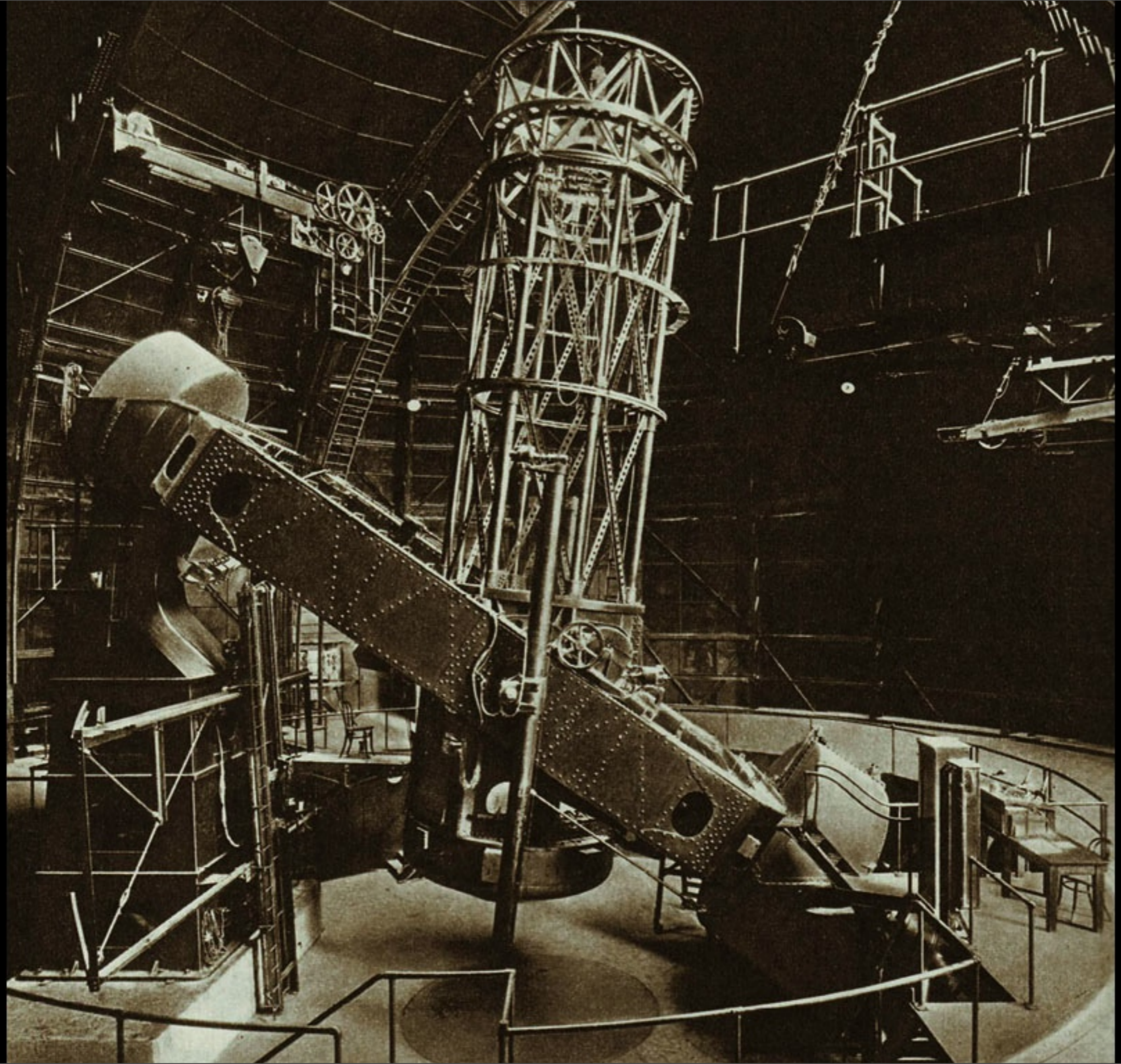
Understanding modern puzzles  
with physics from the 1920's

William Q. Sumner

January 16, 2012

St. Petersburg, Russia





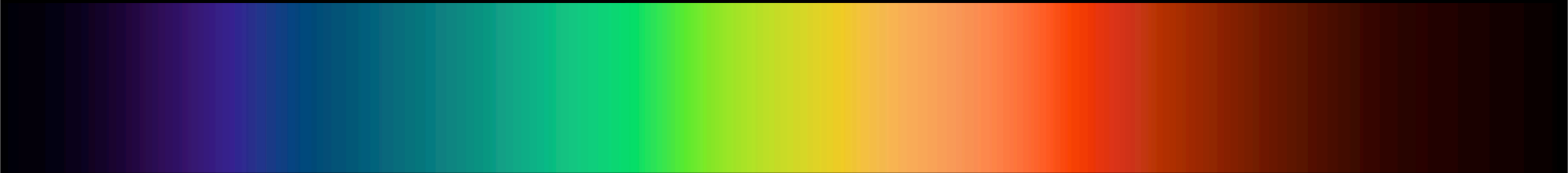


Edwin  
Hubble



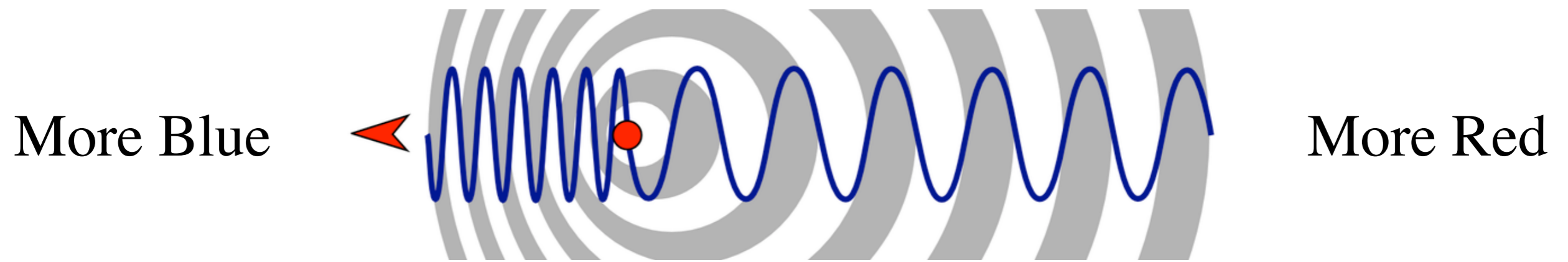


Earth



Nebula





**Hubble redshifts were explained as Doppler shifts caused by nebular velocities away from the earth.**

# A RELATION BETWEEN DISTANCE AND RADIAL VELOCITY AMONG EXTRA-GALACTIC NEBULAE

BY EDWIN HUBBLE

MOUNT WILSON OBSERVATORY, CARNEGIE INSTITUTION OF WASHINGTON

Communicated January 17, 1929

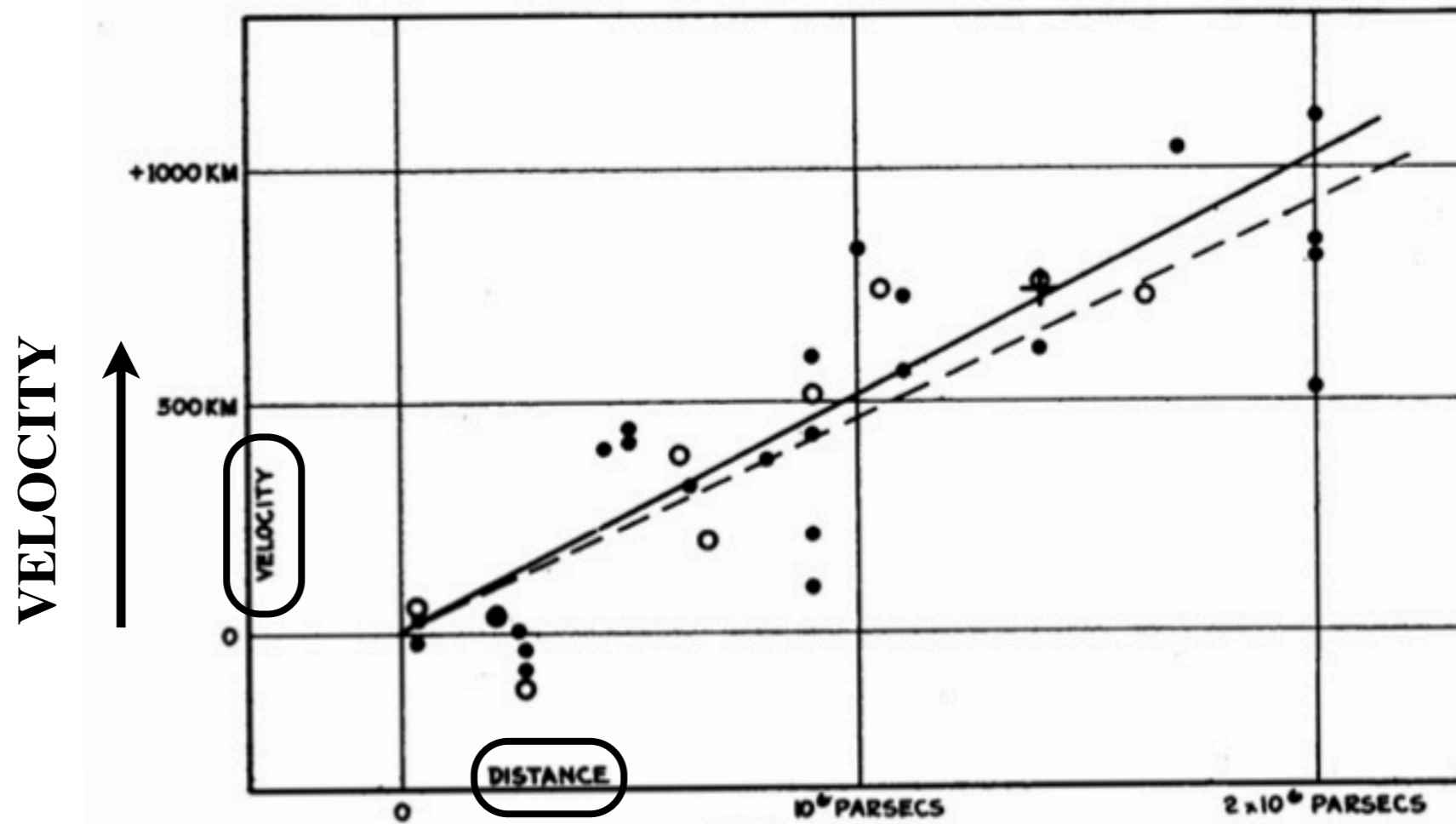
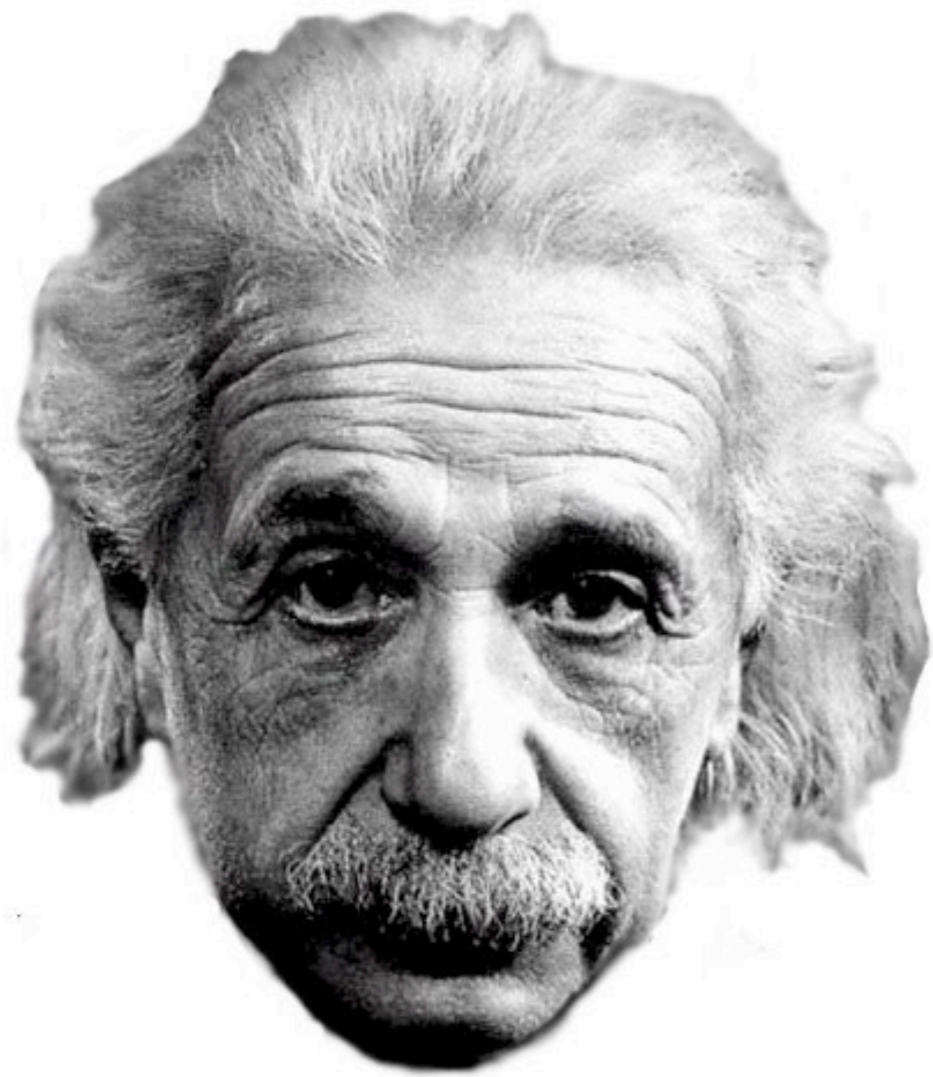


FIGURE 1

DISTANCE





Albert Einstein

1916.

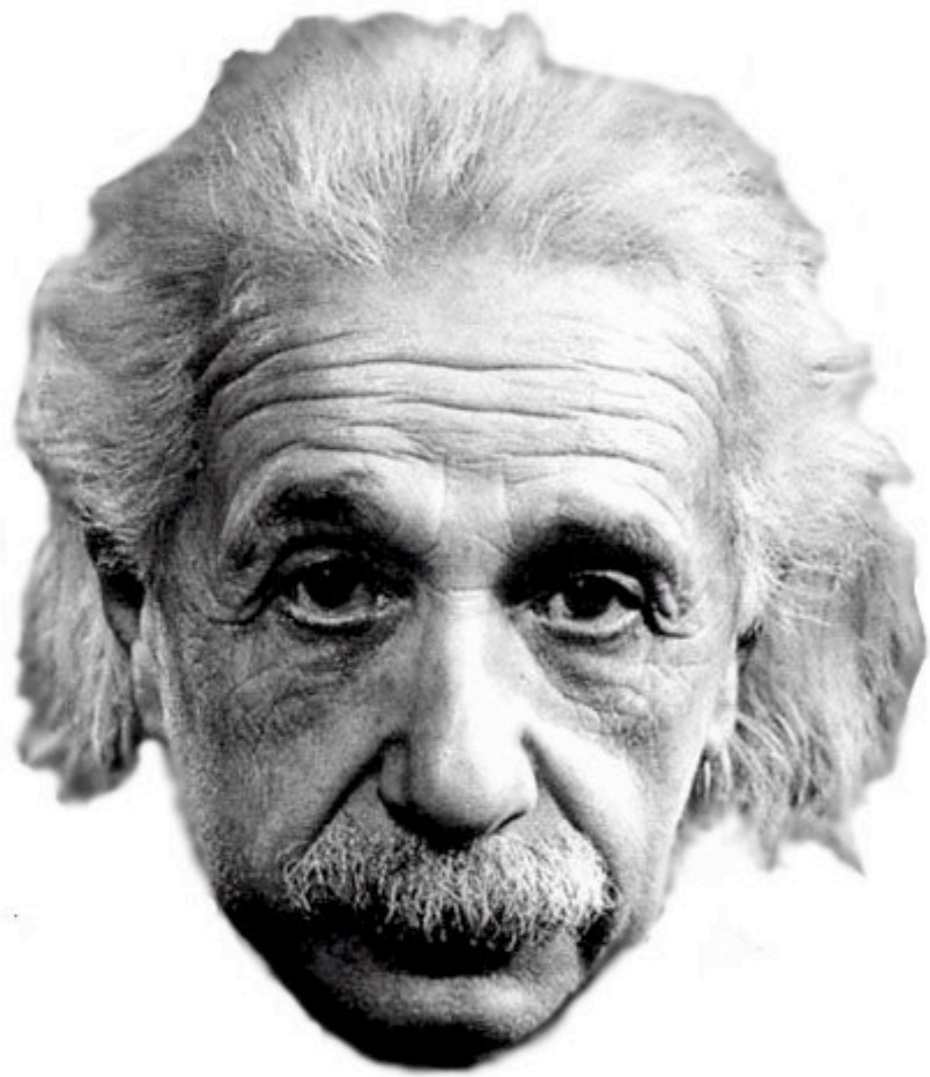
Nr 7.

# ANNALEN DER PHYSIK.

VIERTE FOLGE. BAND 49.

---

1. *Die Grundlage  
der allgemeinen Relativitätstheorie;*  
von *A. Einstein.*



$$G^{\alpha\beta} = 8\pi T^{\alpha\beta}$$



## Über die Krümmung des Raumes.

Von **A. Friedman** in Petersburg.

Mit einer Abbildung. (Eingegangen am 29. Juni 1922.)

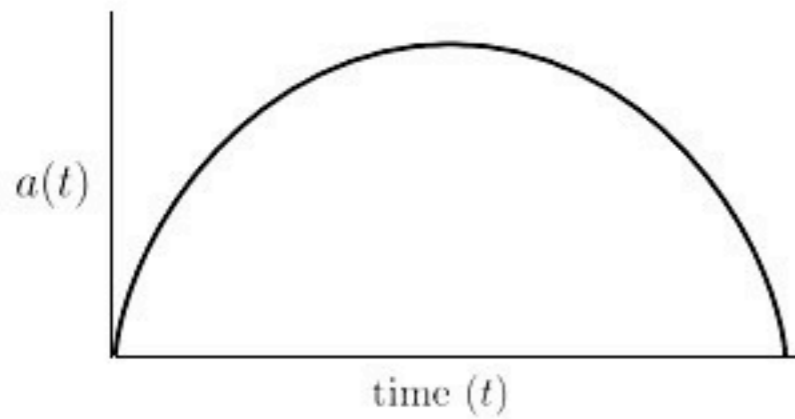
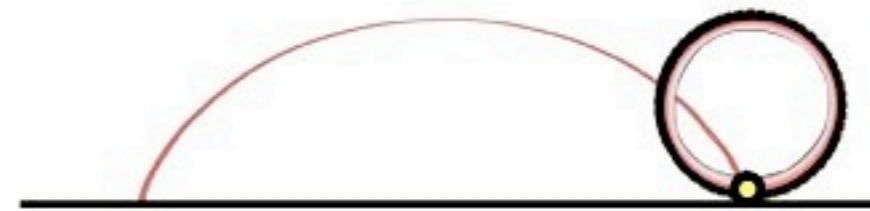
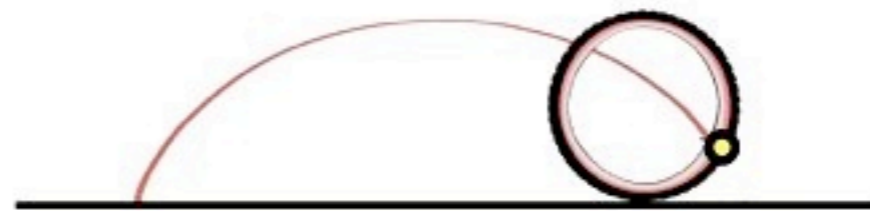
Alexandr Friedmann



$$G^{\alpha\beta} = 8\pi T^{\alpha\beta}$$

Isotropic & homogeneous  
“dust”

$$ds^2 = c^2 dt^2 - a^2(t) \left[ \frac{dr^2}{(1-r^2)} + r^2 (d\vartheta^2 + \sin^2\vartheta d\varphi^2) \right]$$



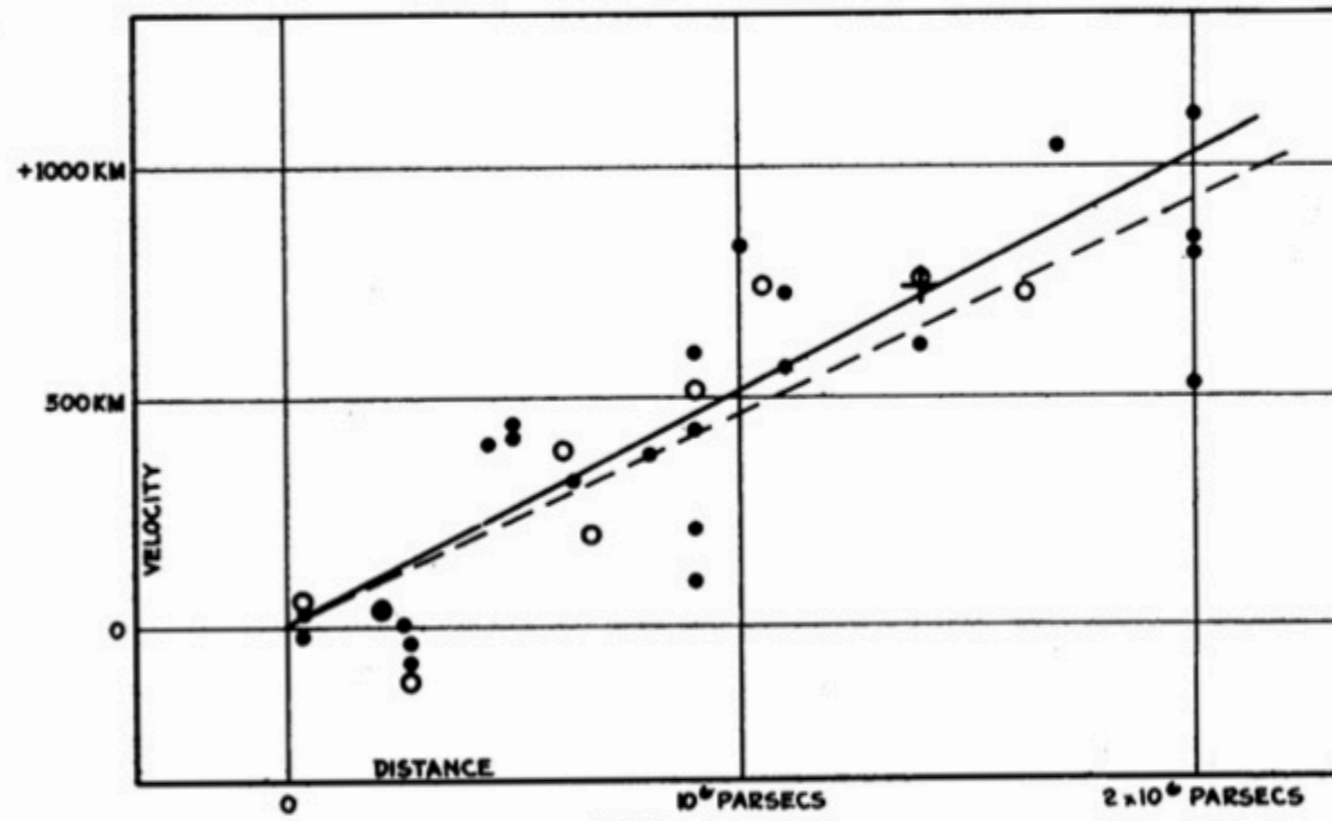
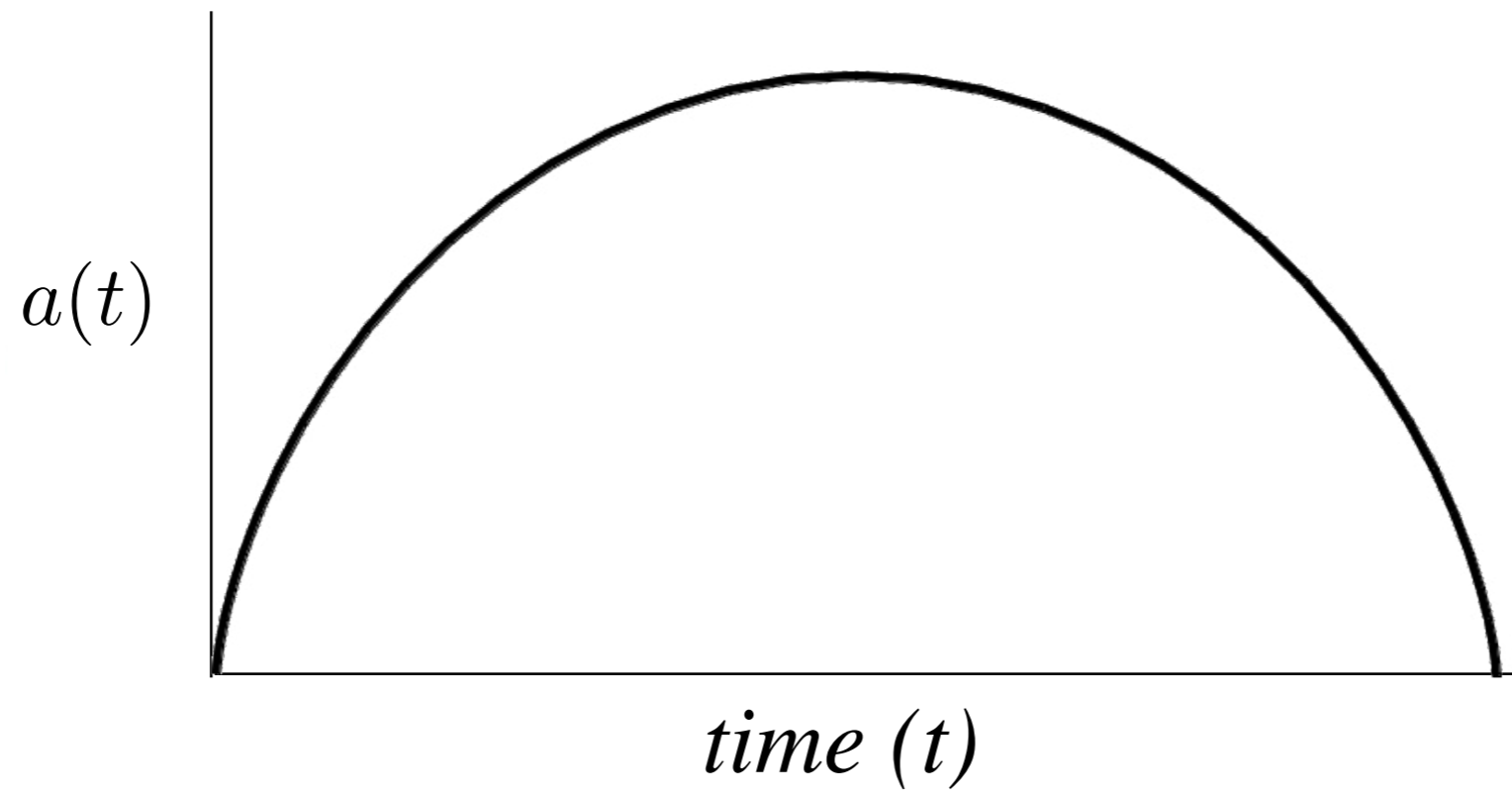
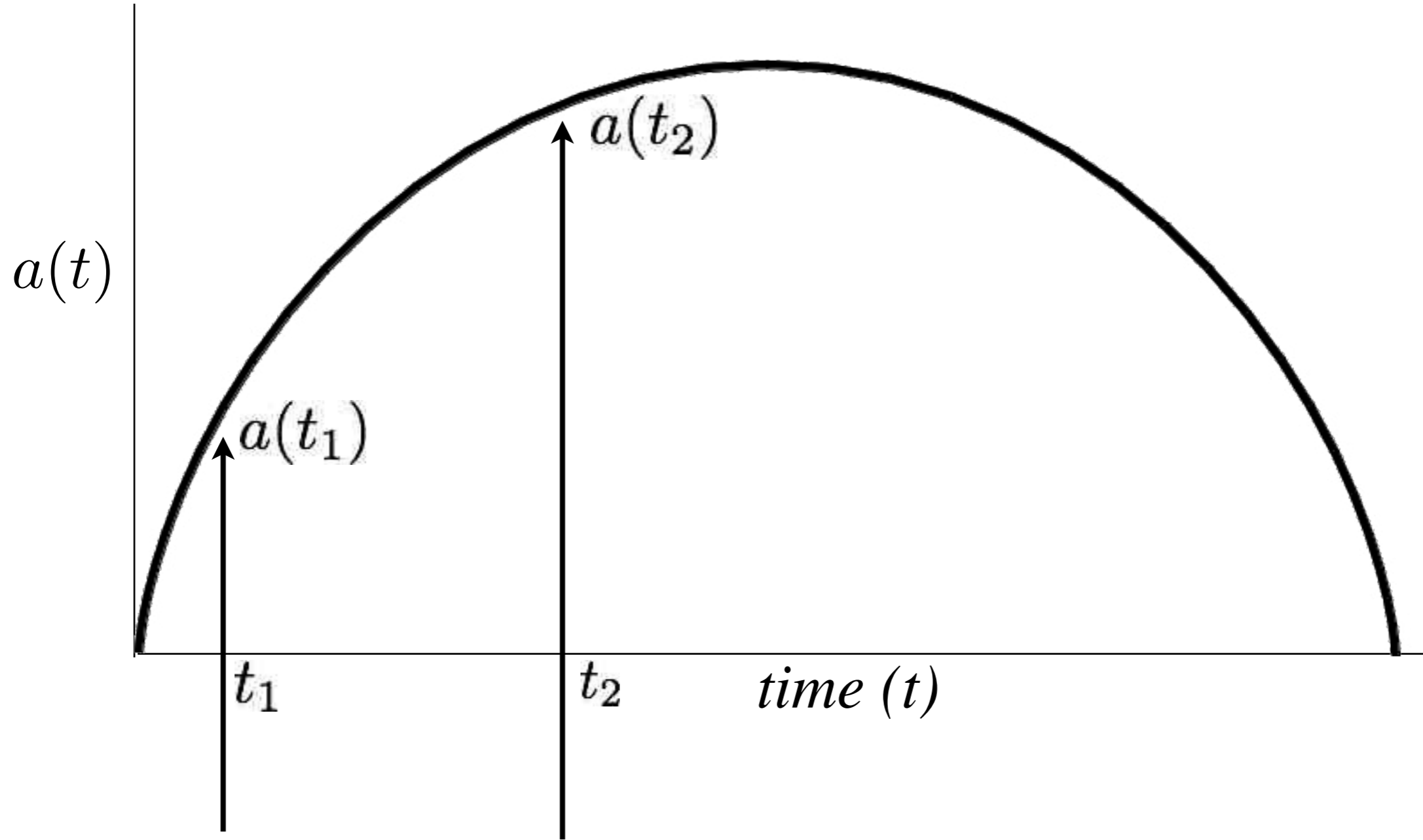
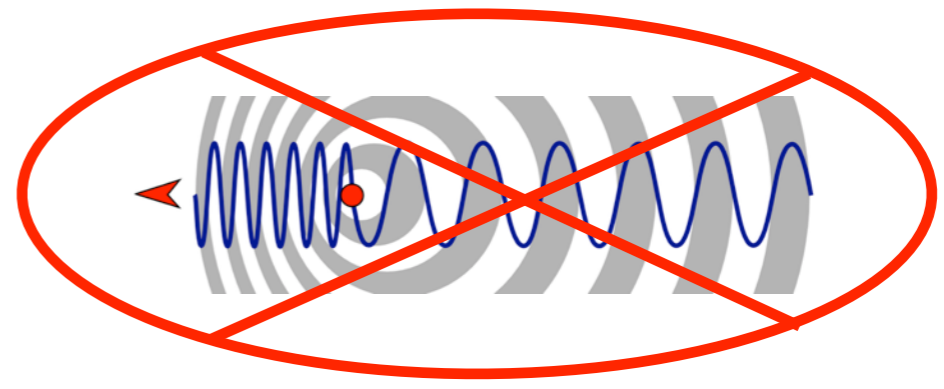
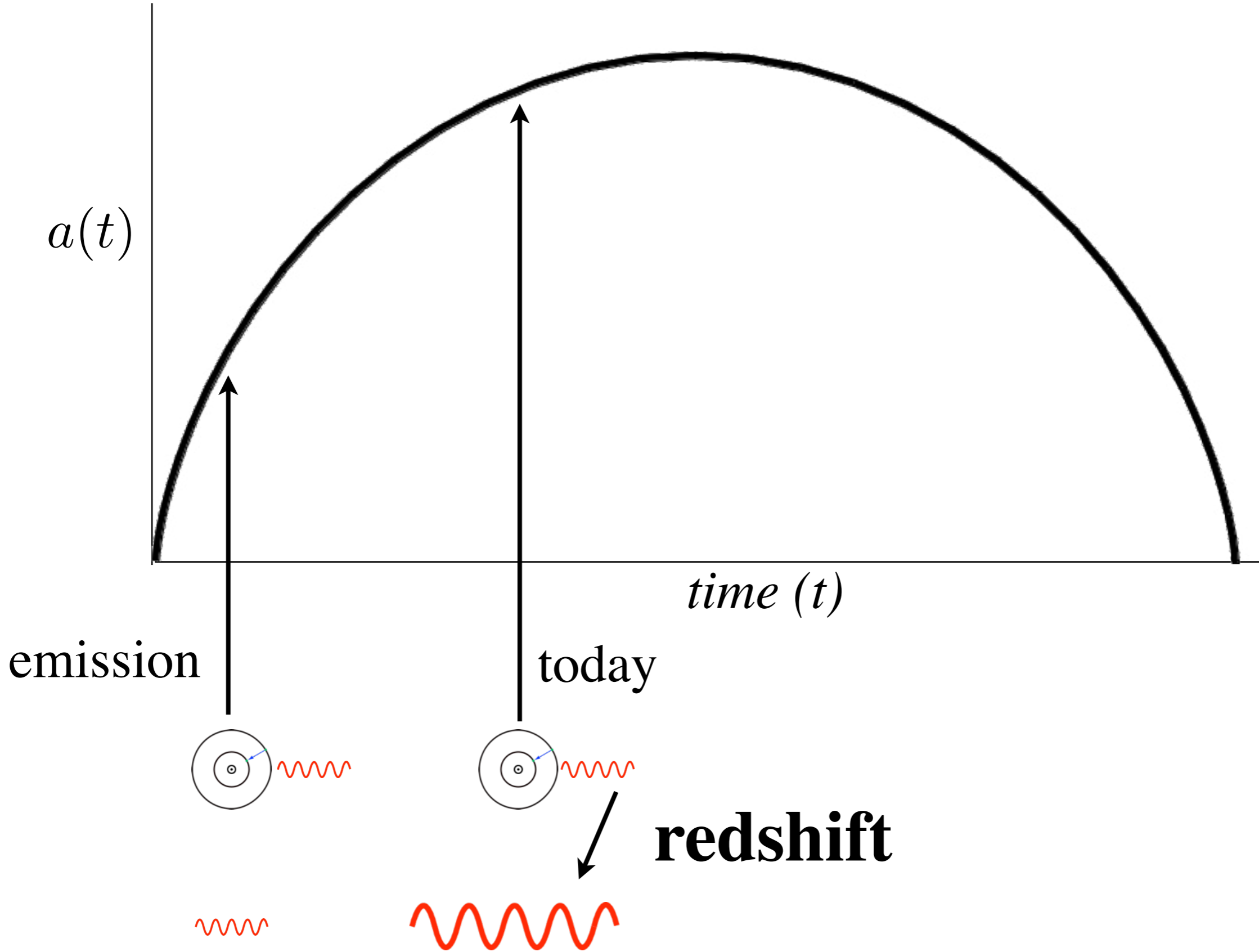


FIGURE 1



$$\frac{\lambda(t_1)}{\lambda(t_2)} = \frac{a(t_1)}{a(t_2)}$$





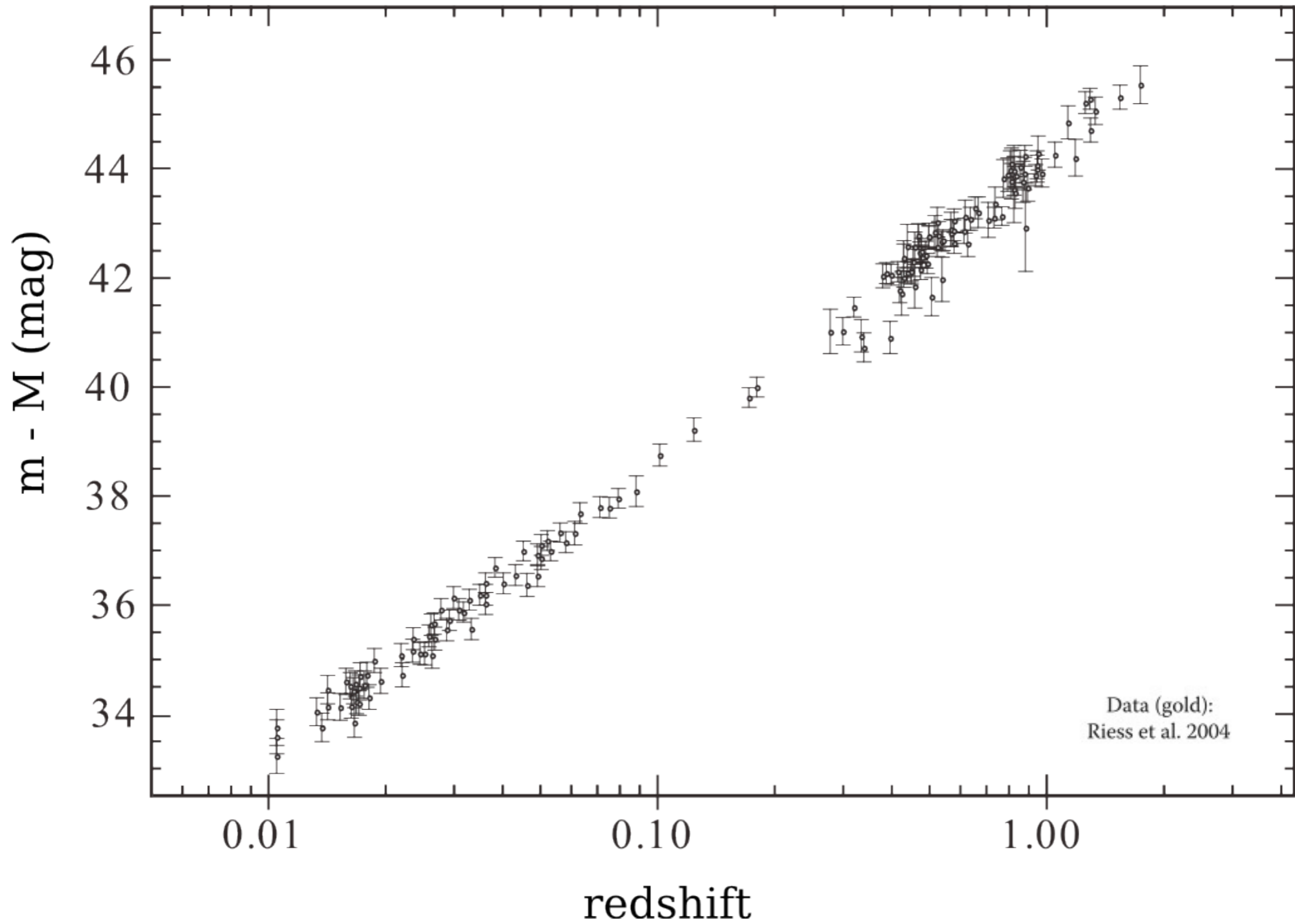




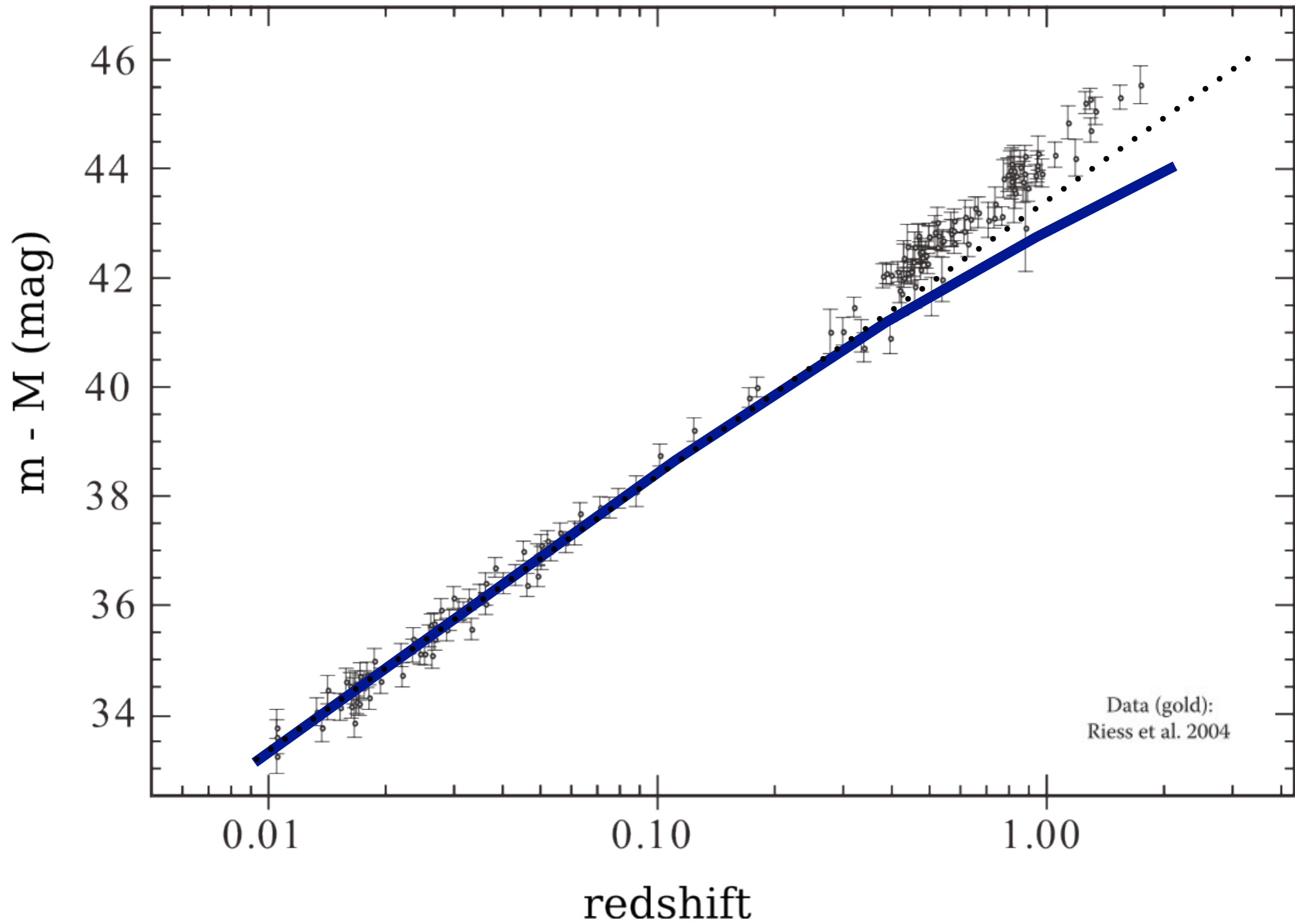




SN 2011dh

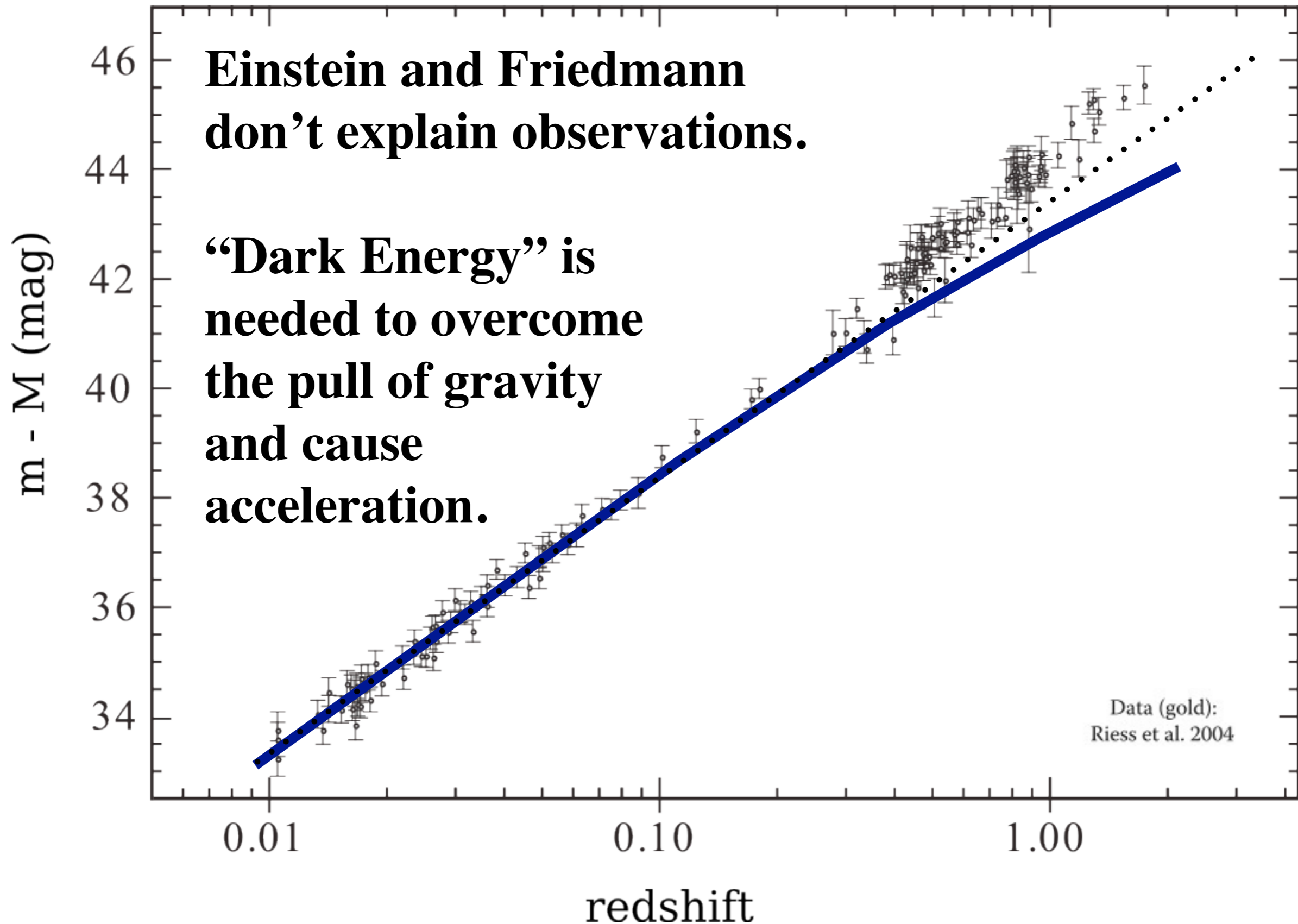


Data (gold):  
Riess et al. 2004



**Einstein and Friedmann  
don't explain observations.**

**“Dark Energy” is  
needed to overcome  
the pull of gravity  
and cause  
acceleration.**



Data (gold):  
Riess et al. 2004



THE PROPER VIBRATIONS  
OF THE EXPANDING UNIVERSE

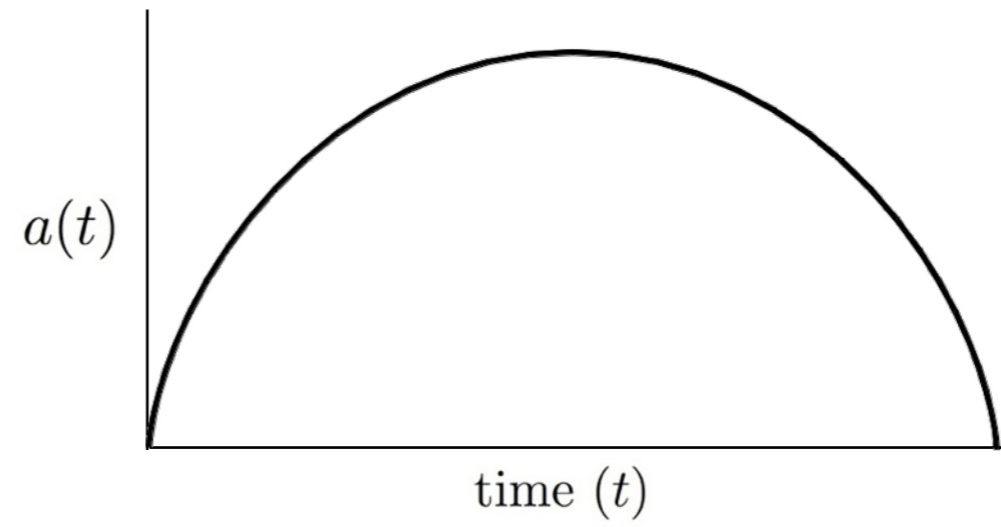
by ERWIN SCHRÖDINGER

Schrödinger, E. 1939, Physica, 6, 899

Erwin Schrödinger



$$G^{\alpha\beta} = 8\pi T^{\alpha\beta}$$







## Zur Schrödingerschen Wellenmechanik.

Von V. Fock in Leningrad.

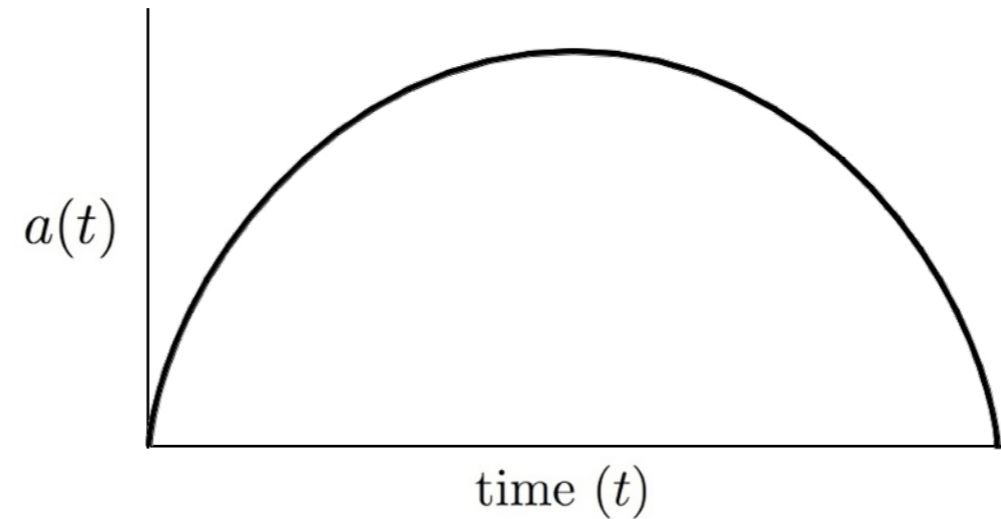
(Eingegangen am 11. Juni 1926.)

Vladimir Fock

$$\frac{1}{\sqrt{-g}} \frac{\partial}{\partial x^\alpha} \left[ \sqrt{-g} g^{\alpha\beta} \frac{\partial \psi}{\partial x^\beta} \right] + \mu^2 \psi = 0$$



$$G^{\alpha\beta} = 8\pi T^{\alpha\beta}$$



$$\frac{1}{\sqrt{-g}} \frac{\partial}{\partial x^\alpha} \left[ \sqrt{-g} g^{\alpha\beta} \frac{\partial \psi}{\partial x^\beta} \right] + \mu^2 \psi = 0$$

What are the basis functions  
for  $\psi$ ?



# THE PROPER VIBRATIONS OF THE EXPANDING UNIVERSE

by ERWIN SCHRÖDINGER

§ 1. *Introduction and summary.* Wave mechanics imposes an a priori reason for assuming space to be closed; for then and only then are its proper modes discontinuous and provide an adequate description of the observed atomicity of matter and light.

• • •

For light: when referred to the customary *co-moving* coordinates, an *arbitrary* wave process exhibits essentially the same succession of states as without expansion. Briefly, the wave function shares the general dilatation. Hence all wave lengths increase proportionally to the radius of curvature. — The time rate of events is slowed down.

• • •

For the material particle the broad results are these: a strictly monochromatic process (i.e. a proper vibration) again shares the

— 899 —

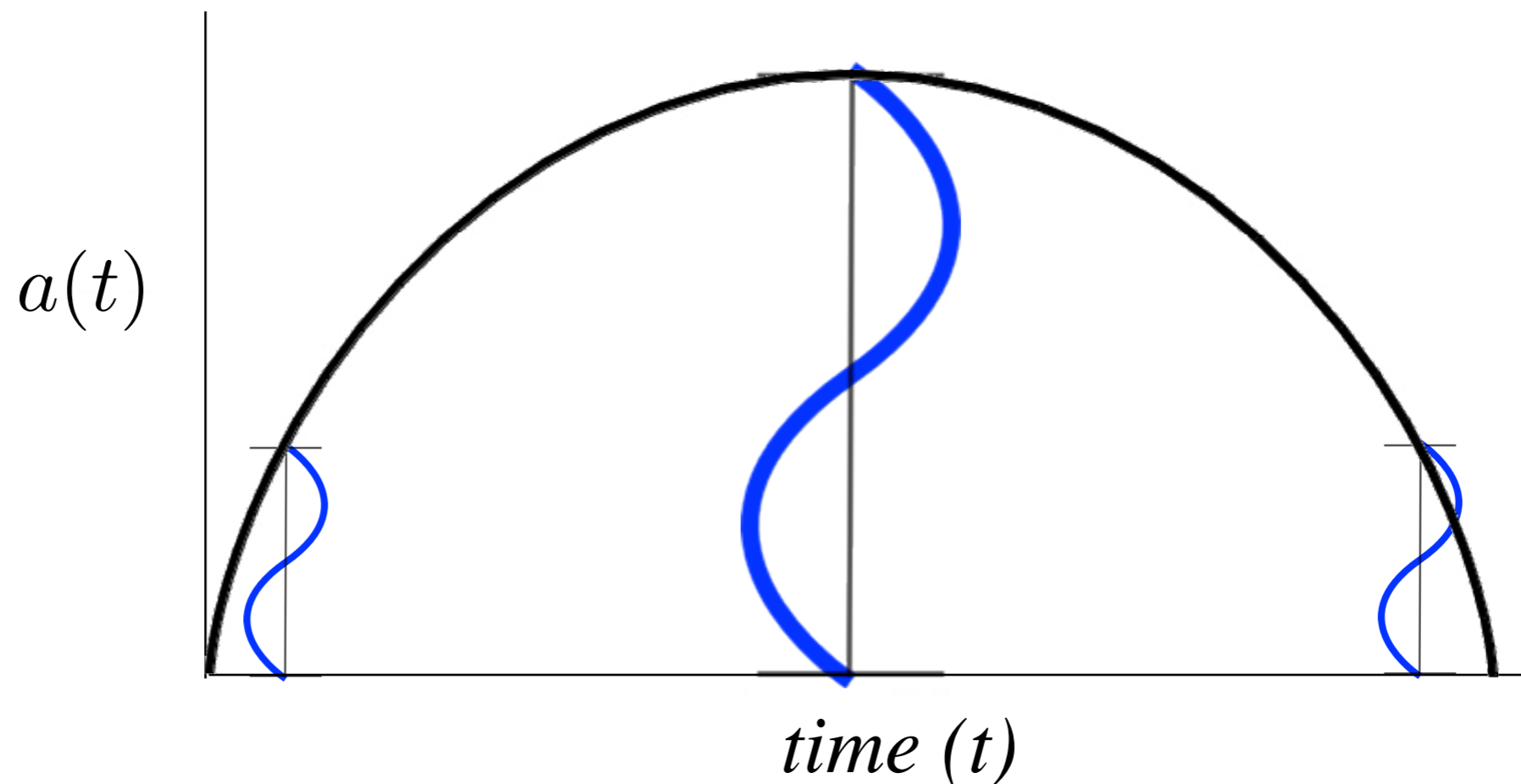
common dilatation, so that its wave length  $\lambda$  is proportional to  $R$ , as before.

Schrödinger, E. 1939, *Physica*, 6, 899



“In an expanding space all momenta decrease . . . This simple law has an even simpler interpretation in wave mechanics: all wavelengths, being inversely proportional to the momenta, simply expand with space.”

**Erwin Schrödinger**



# ON THE VARIATION OF VACUUM PERMITTIVITY IN FRIEDMANN UNIVERSES

WILLIAM Q. SUMNER

Box 588, Kittitas, WA 98934

*Received 1993 March 31; accepted 1994 January 14*

THE ASTROPHYSICAL JOURNAL, 429:491–498, 1994 July 10

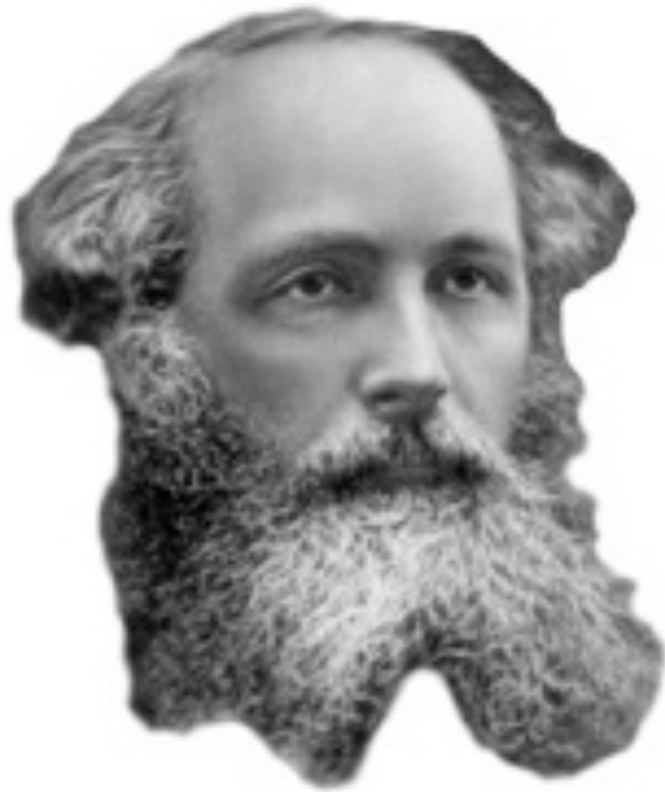
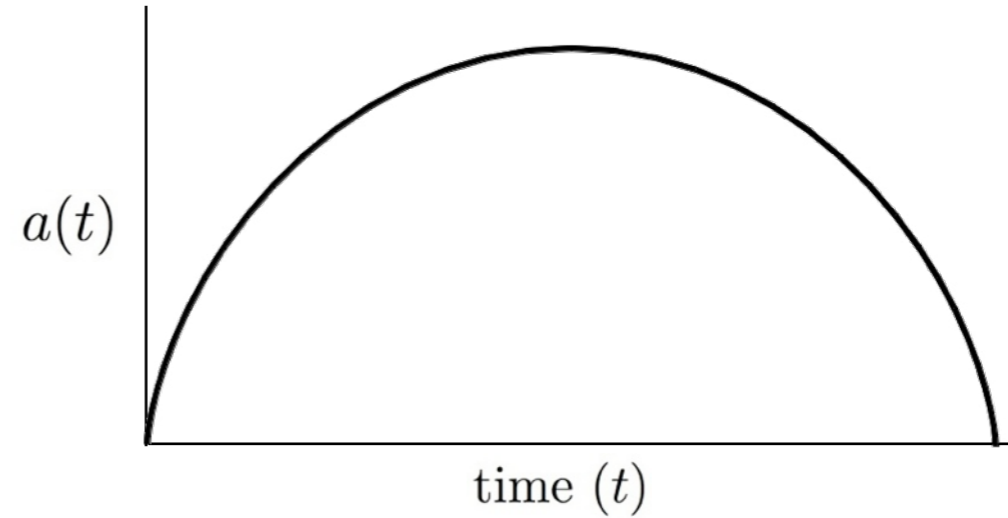
© 1994. The American Astronomical Society. All rights reserved. Printed in U.S.A.



William Sumner



$$G^{\alpha\beta} = 8\pi T^{\alpha\beta}$$



$$T^{\mu\nu} = \varepsilon_0 \left( -g^{\nu\beta} F^{\mu\alpha} F_{\beta\alpha} + \frac{1}{4} g^{\mu\nu} F^{\alpha\beta} F_{\alpha\beta} \right)$$

$$(\varepsilon_0 F^{\alpha\beta})_{;\beta} = J^\alpha$$

$$\vec{F} = \frac{1}{4\pi\varepsilon_0} \frac{q_1 q_2 \hat{r}}{r^2}$$

James Clerk Maxwell

THE ASTROPHYSICAL JOURNAL, 429:491–498, 1994 July 10

© 1994. The American Astronomical Society. All rights reserved. Printed in U.S.A.

## ON THE VARIATION OF VACUUM PERMITTIVITY IN FRIEDMANN UNIVERSES

WILLIAM Q. SUMNER

Box 588, Kittitas, WA 98934

*Received 1993 March 31; accepted 1994 January 14*

### ABSTRACT

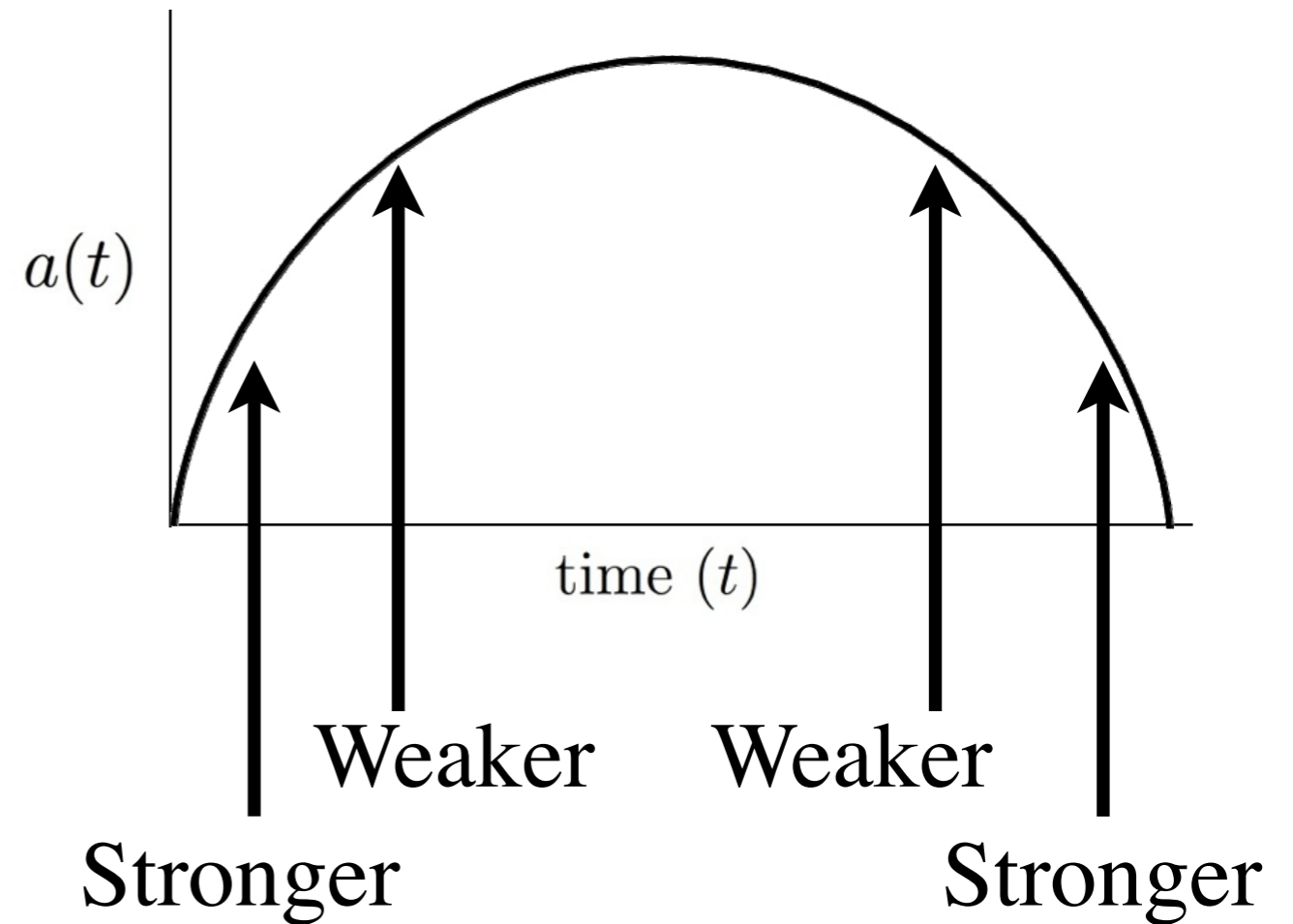
Vacuum permittivity, the measure of strength of electric fields in a vacuum, is a function of the spacetime geometry of Einstein's general relativity. This dependence on geometry was noted over 40 years ago by C. Møller (1952) and has remarkable consequences. Variation in vacuum permittivity breaks the equivalence of physical measurements and mathematical coordinates postulated by Einstein. Physical lengths, as measured by a rigid rod, and physical times, as measured by an atomic clock, are not equivalent to the mathematical lengths and times of general relativity. This changes some concepts of space and time, invalidates stronger interpretations of the principle of equivalence, and requires that care be exercised in interpreting the speed of light. The laws of physics must be carefully used to understand the essential relationships between mathematical spacetime and physical measurements.

For Friedmann universes, vacuum permittivity is directly proportional to the Friedmann radius and is therefore a function of time. As the size of the universe evolves, the changing strength of the electrical force between charges shifts atomic energy levels, changing the wavelengths of emitted light. This shift in photon emission due to the evolution of electrical attraction in the atom is twice as large as evolutionary photon shift. Considered together, atomic and photon evolution reverse the interpretation of Hubble redshift to imply that the Friedmann universe is presently collapsing.

*Subject headings:* cosmology: theory

**Vacuum permittivity is proportional to the  
Friedmann radius**  $\epsilon_0(t) \propto a(t)$

$$\vec{F} = \frac{1}{4\pi\epsilon_0} \frac{q_1 q_2 \hat{r}}{r^2}$$





## Atomic Sizes Change

**Bohr radius**  $a_o(t) = \frac{\epsilon_0(t) h^2}{\pi m_e e^2}$

**And**  $\epsilon_0(t) \propto a(t)$

$$\frac{a_o(t_1)}{a_o(t_2)} = \frac{a(t_1)}{a(t_2)}$$

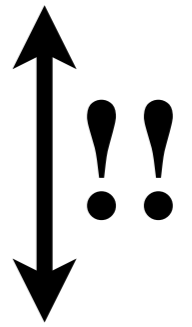
## Atomic Energy Levels Change

$$\lambda_e = \frac{h}{\Delta E} = \frac{8\varepsilon_0^2 h^3}{me^4} \left( \frac{n_1^2 n_2^2}{n_1^2 - n_2^2} \right)$$

$$\frac{\lambda_e(t_1)}{\lambda_e(t_2)} = \frac{a^2(t_1)}{a^2(t_2)}$$

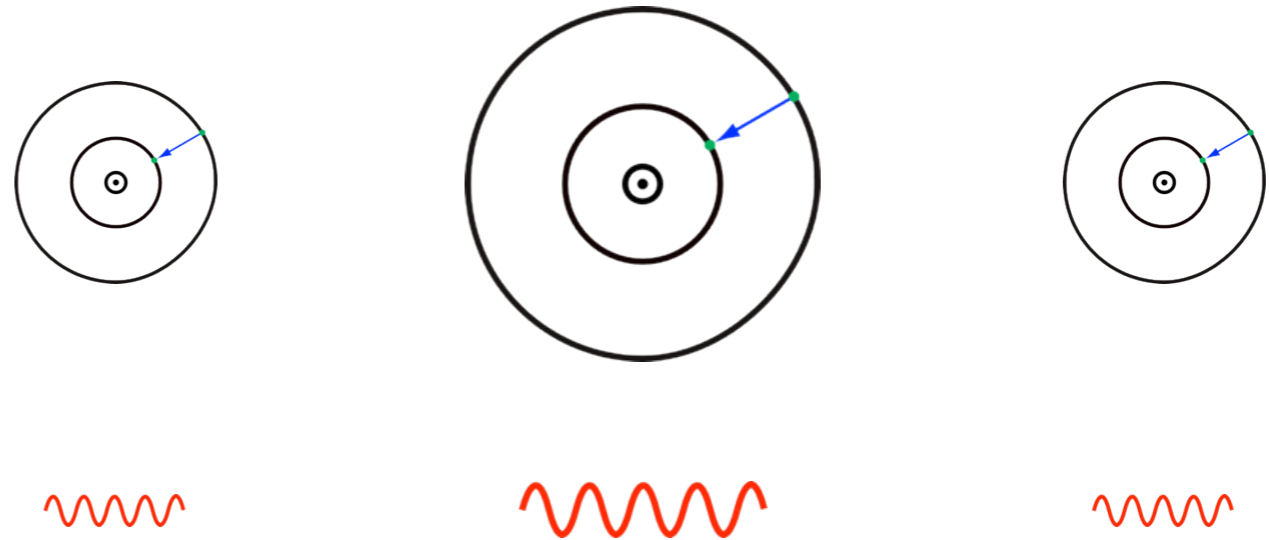
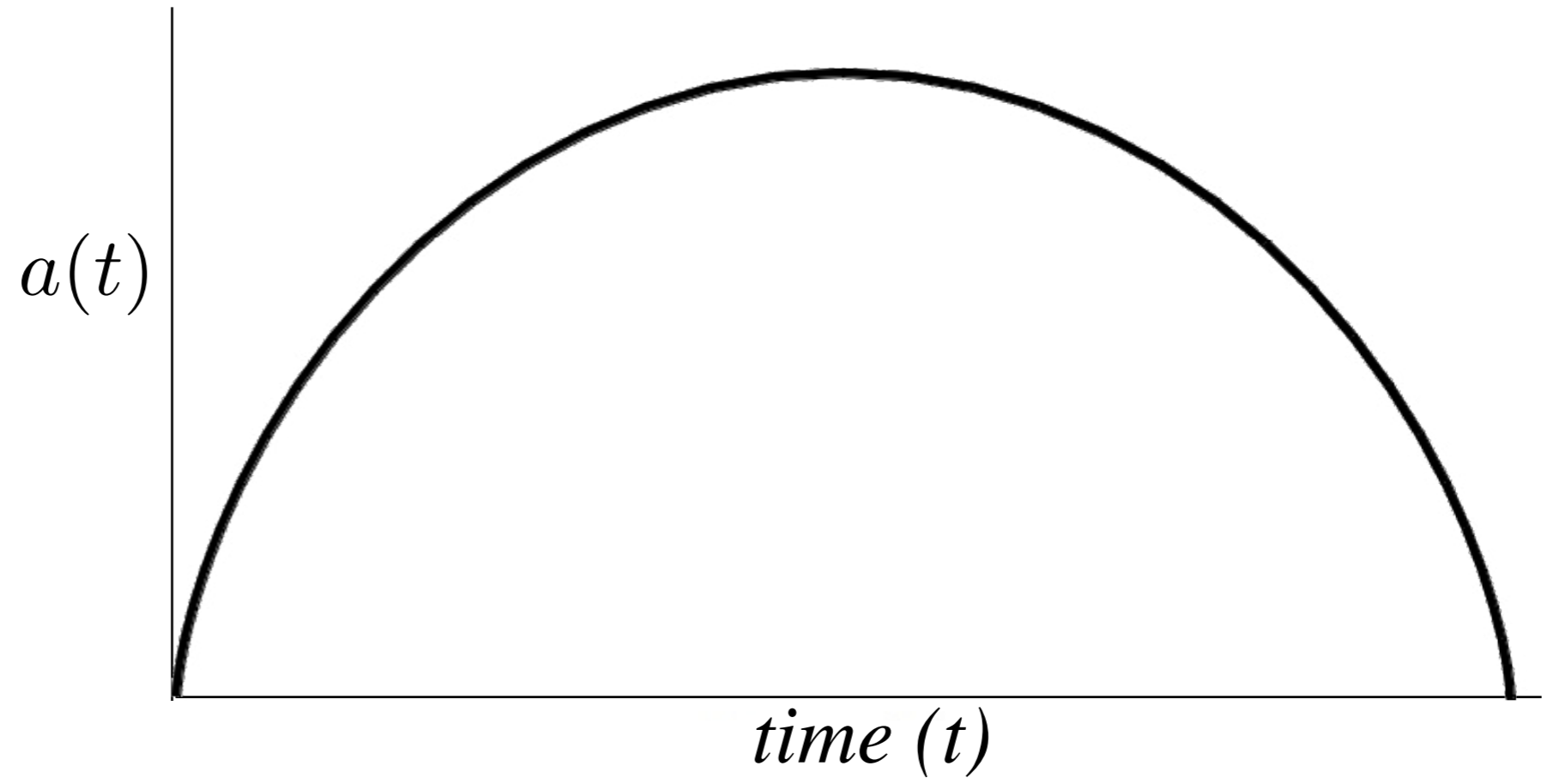
**Photons change**

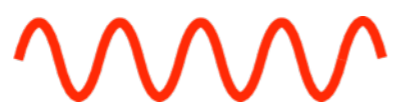
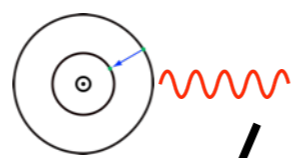
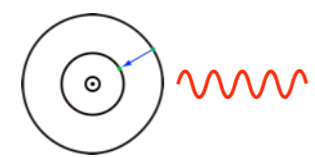
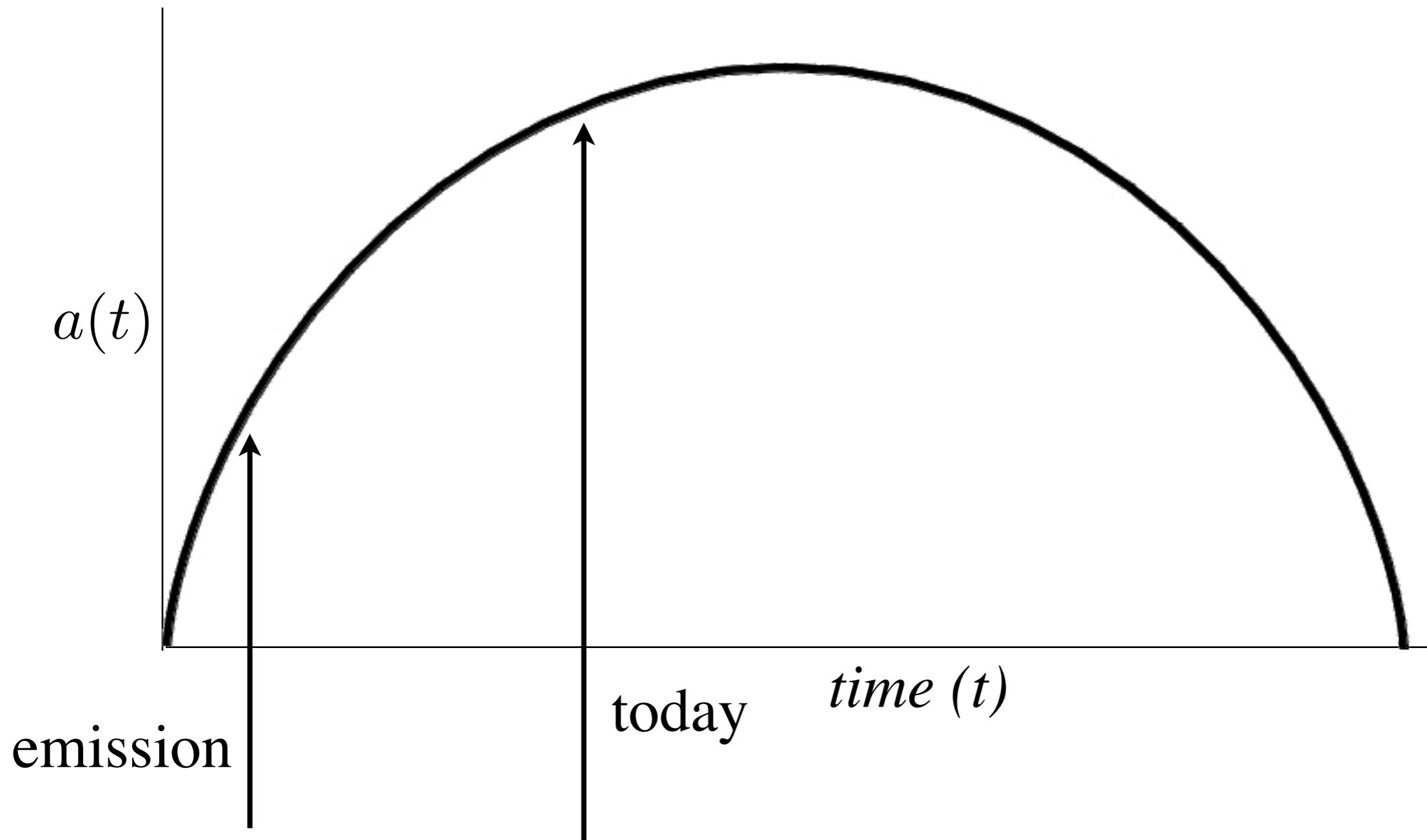
$$\frac{\lambda(t_1)}{\lambda(t_2)} = \frac{a(t_1)}{a(t_2)}$$



**Atomic emissions change more**

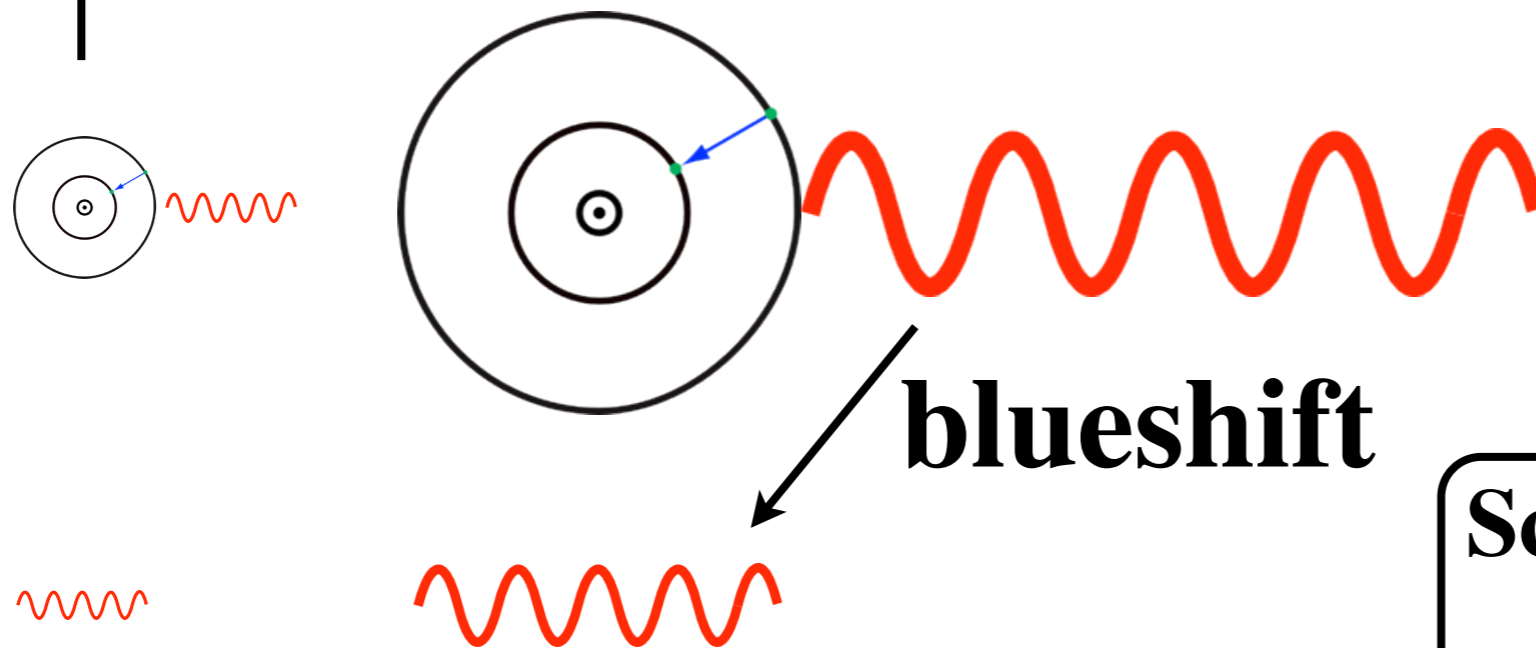
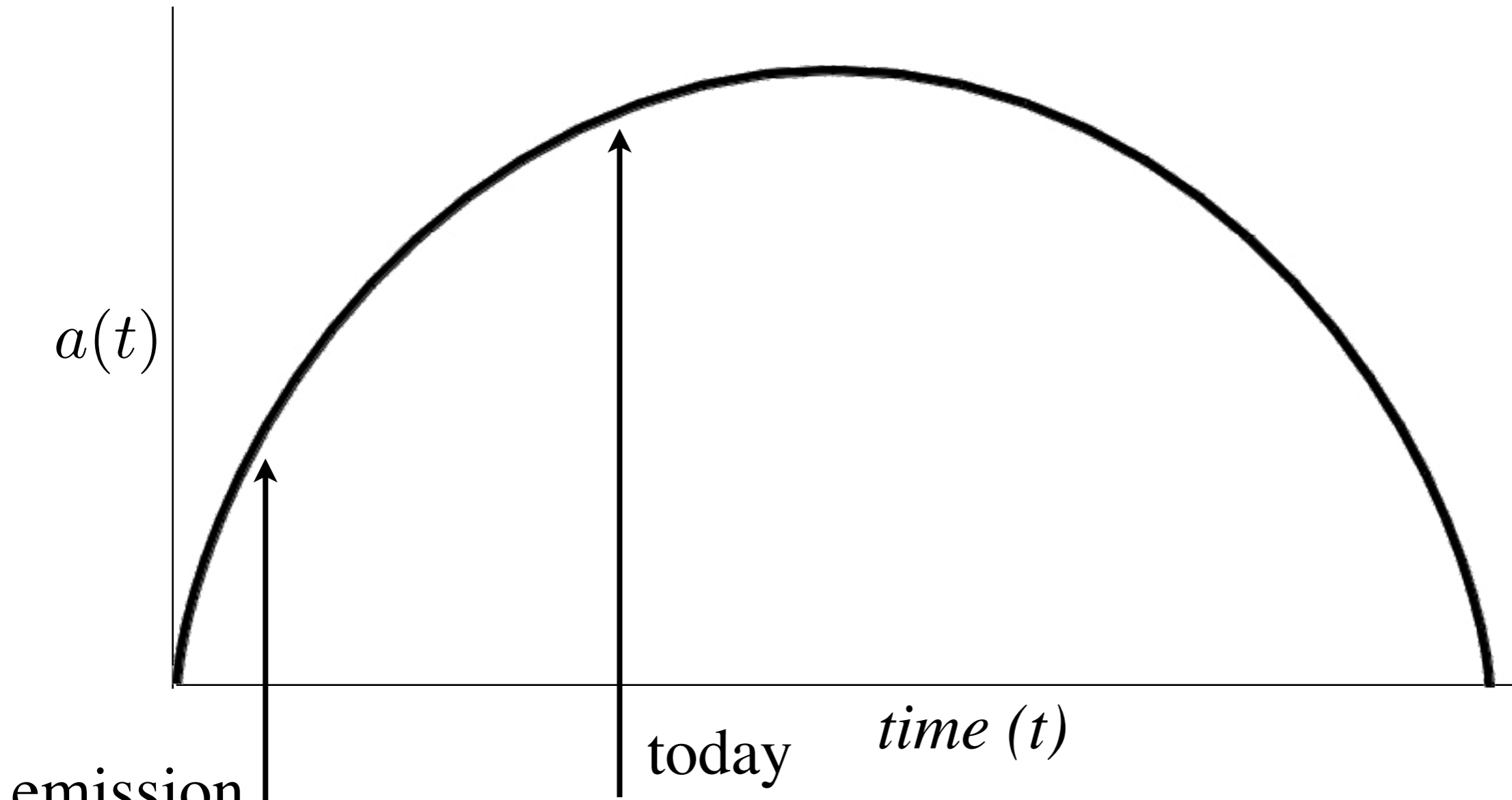
$$\frac{\lambda_e(t_1)}{\lambda_e(t_2)} = \frac{a^2(t_1)}{a^2(t_2)}$$



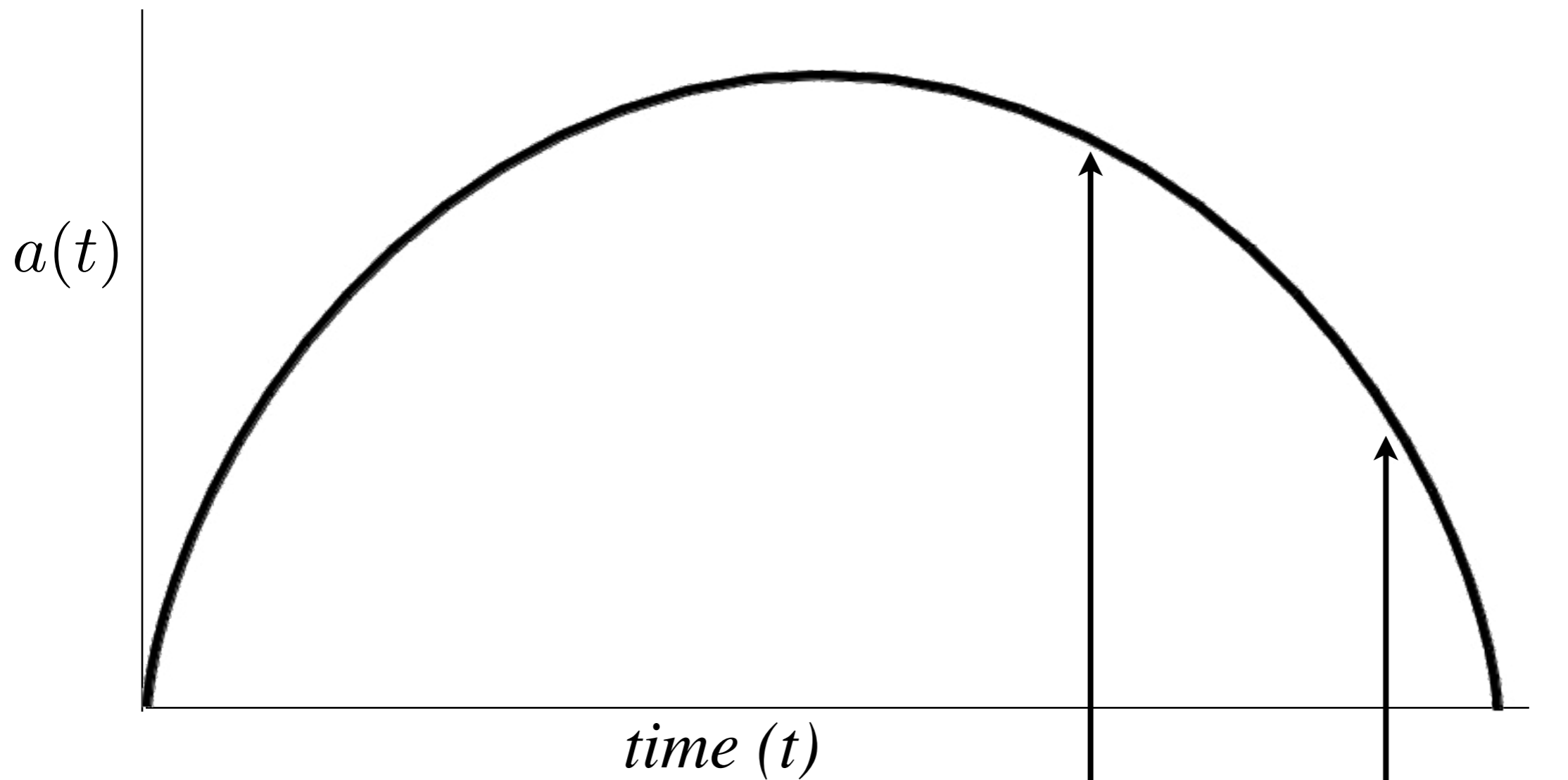


**redshift**

**Conventional Interpretation**

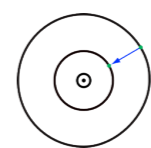
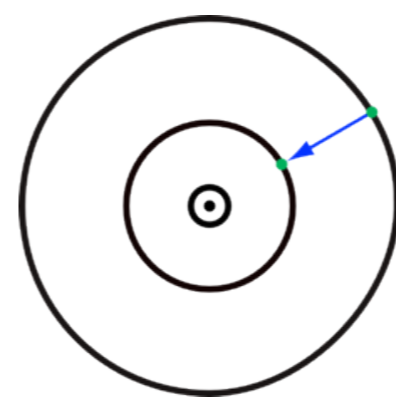


**Schrödinger/Sumner  
Interpretation**

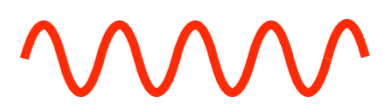
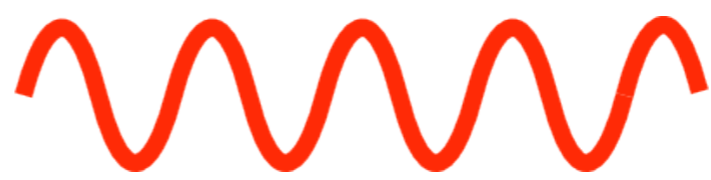


emission

today

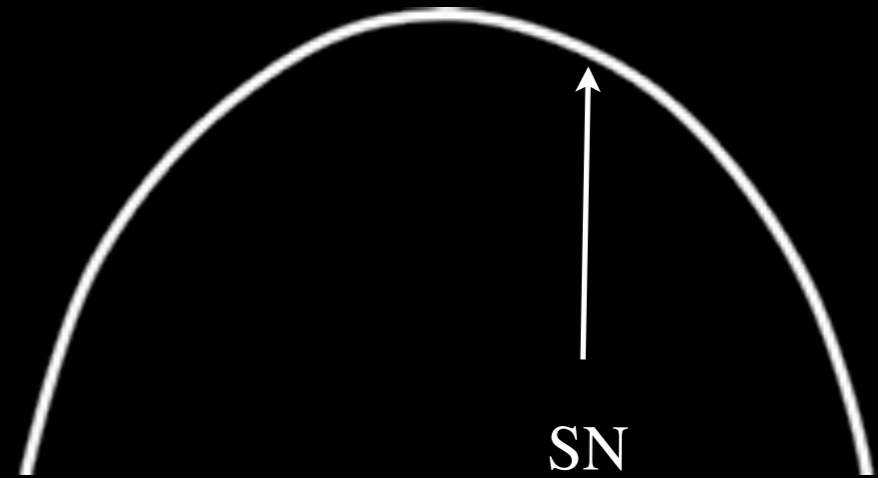


**redshift**



**Schrödinger/Sumner  
Interpretation**

SN

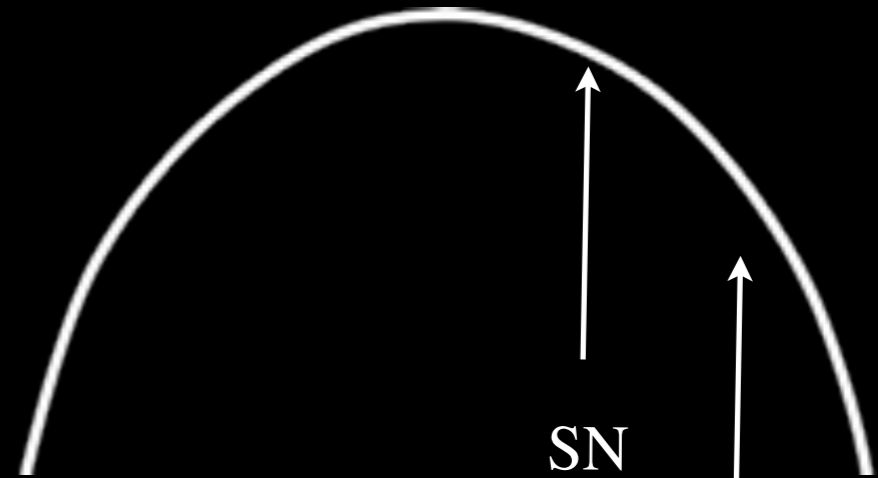


SN



SN Today

SN



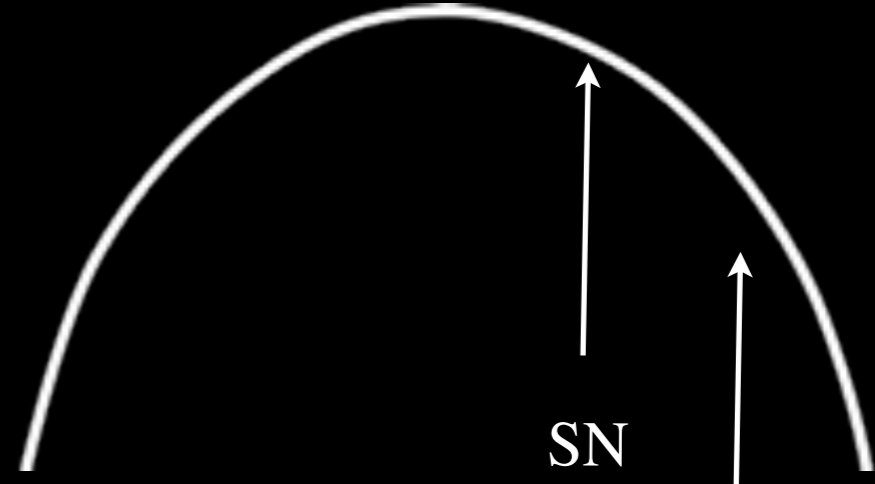
SN

Today

Today

SN Today

SN



SN

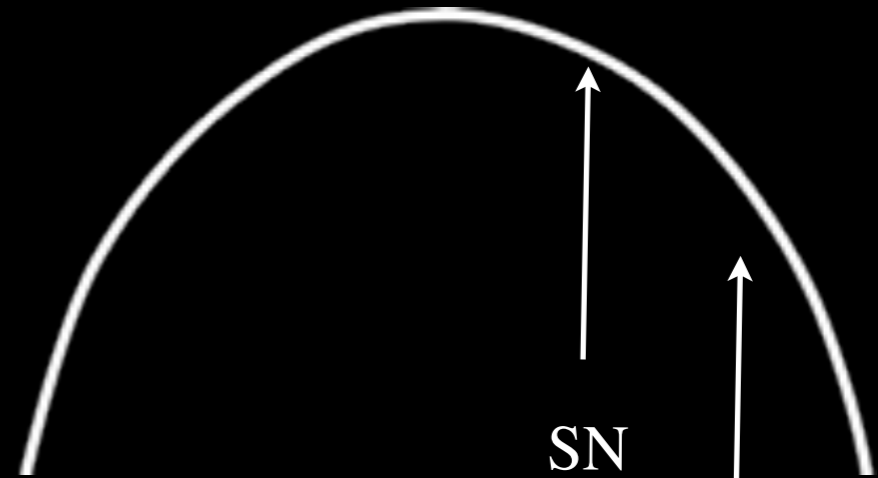
Today

Today

SN Today

SN

Redshift



SN

Today

Today

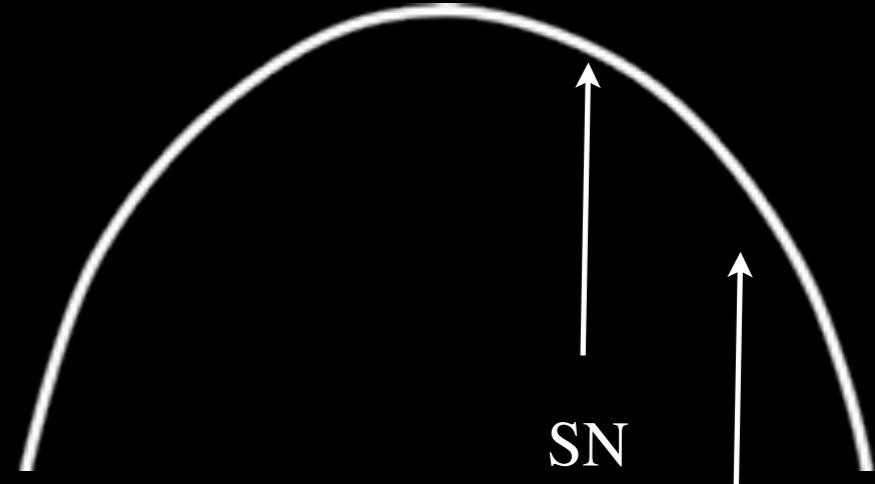
SN Today

SN

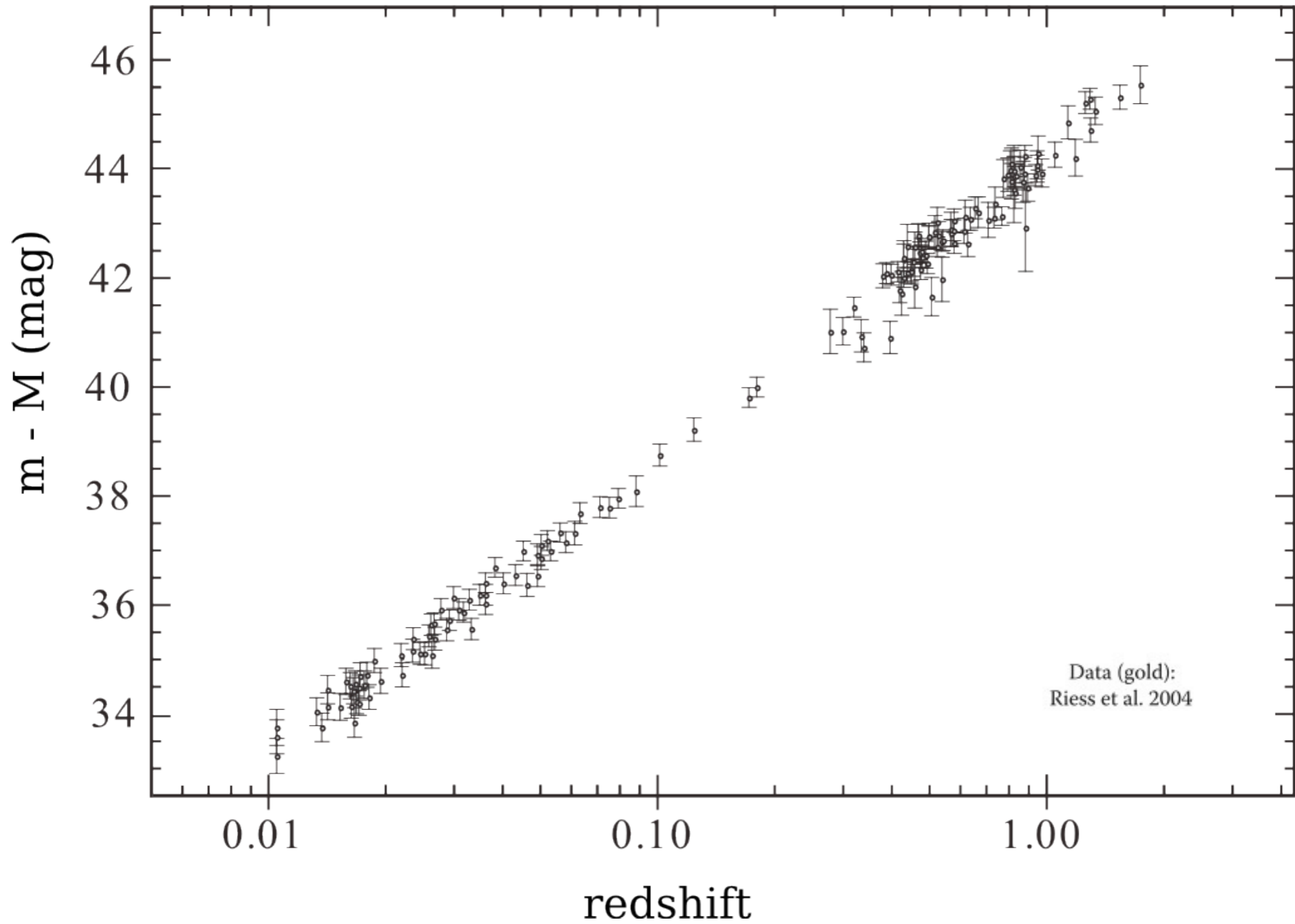
Redshift



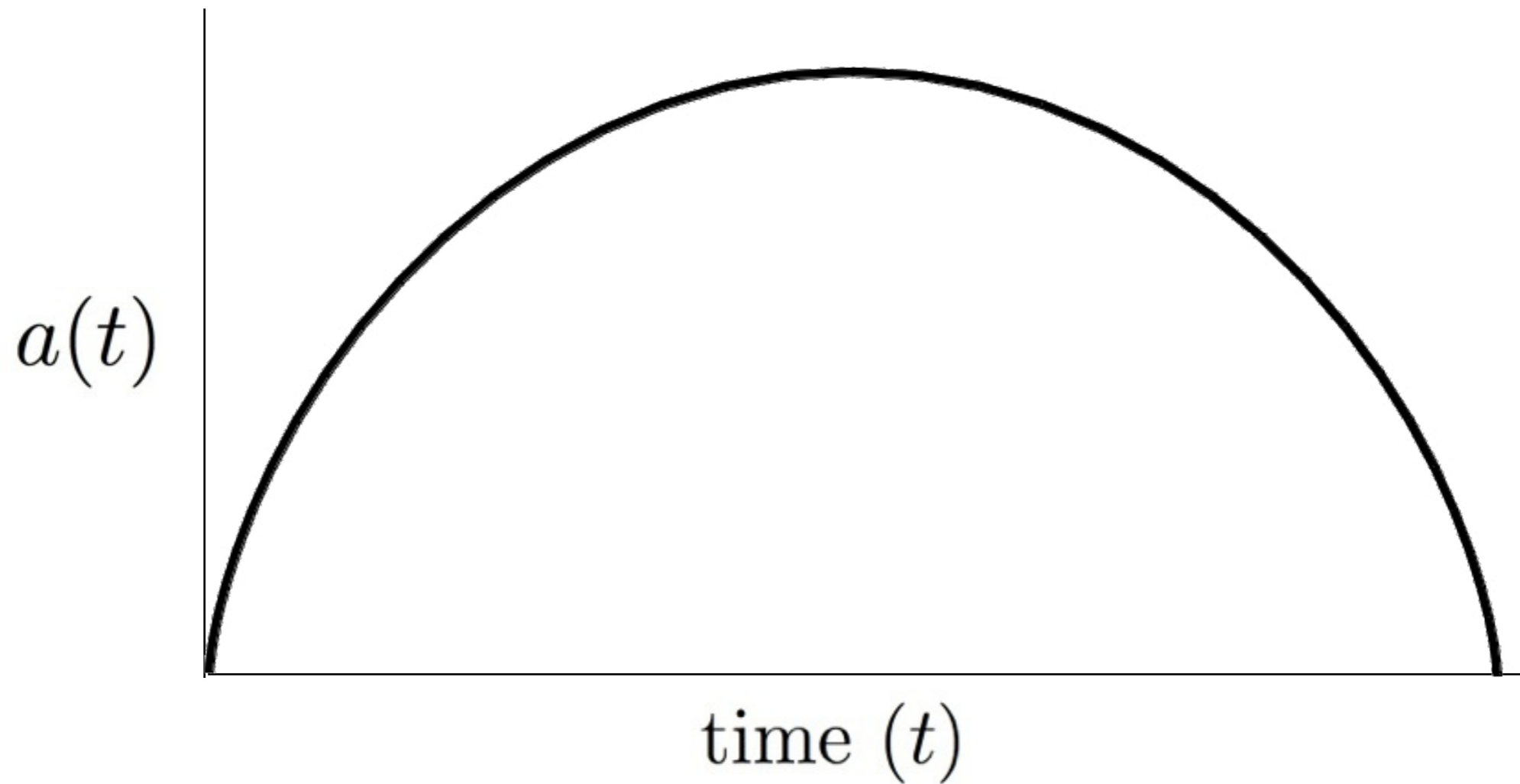
*Redshift means collapse*



Today



# Calculate Redshift for a Collapsing Friedmann Universe



- Define redshift  $k = \frac{\lambda_{obs}(t_0) - \lambda_e(t_0)}{\lambda_e(t_0)}, \quad k = \frac{a(t_1)}{a(t_0)} - 1$

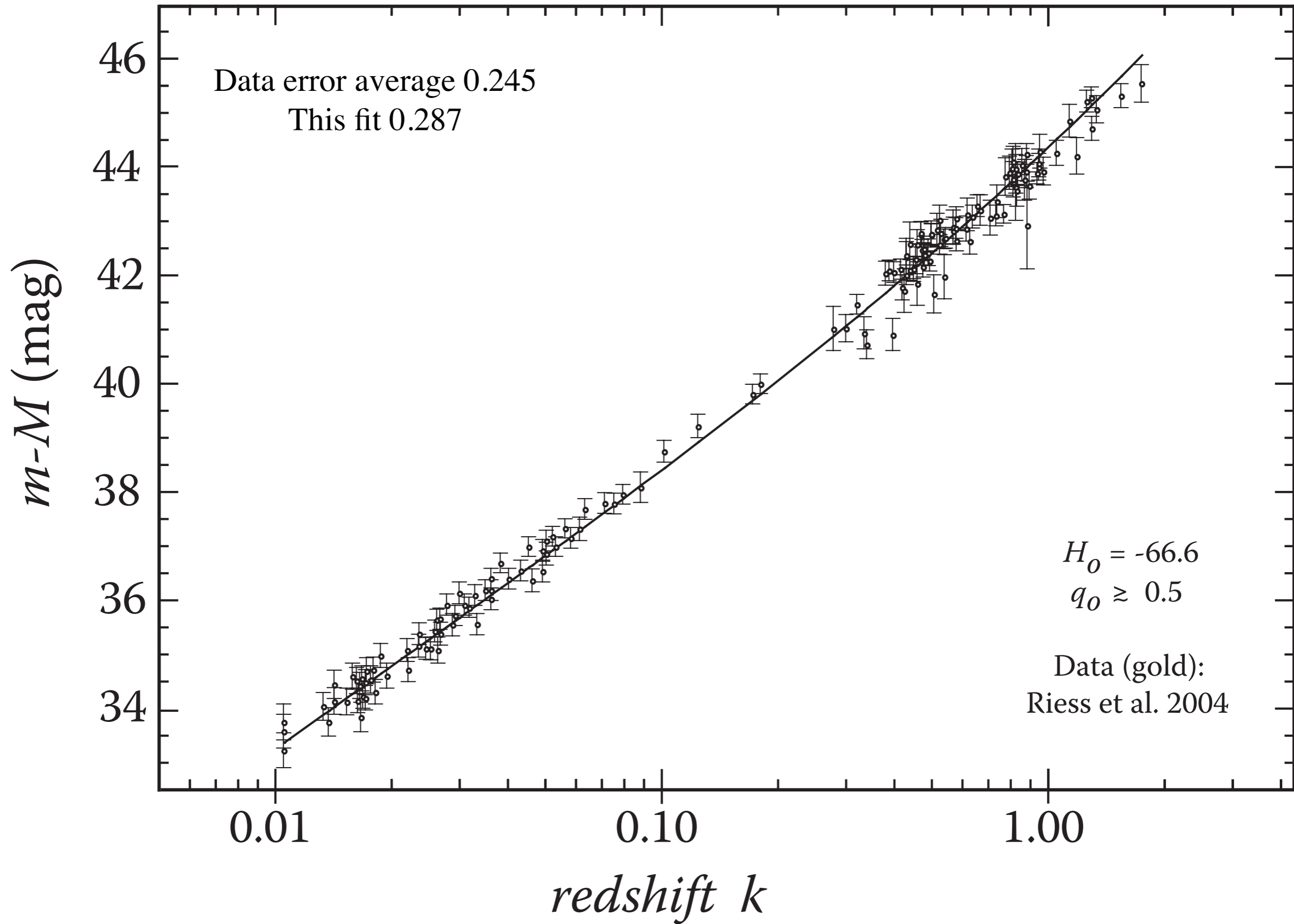
- Characterize the Friedmann curve using the Hubble constant,  $H_0$ , and the deceleration parameter,  $q_0$ .

- Derive from Friedmann solution 
$$D_L = \left( \frac{-c}{H_0} \right) \frac{(1+k)}{q_0} \left\{ \left[ k - \frac{(1+k)(1-q_0)}{q_0} \right] + \frac{(1-q_0)}{(2q_0-1)^{1/2}} \left\{ 1 - \left[ k - \frac{(1+k)(1-q_0)}{q_0} \right]^2 \right\}^{1/2} \right\}.$$

- Vary  $H_0$  and  $q_0$  for best fit for supernova brightness,  $m - M$ , and redshifts,  $k$ , using

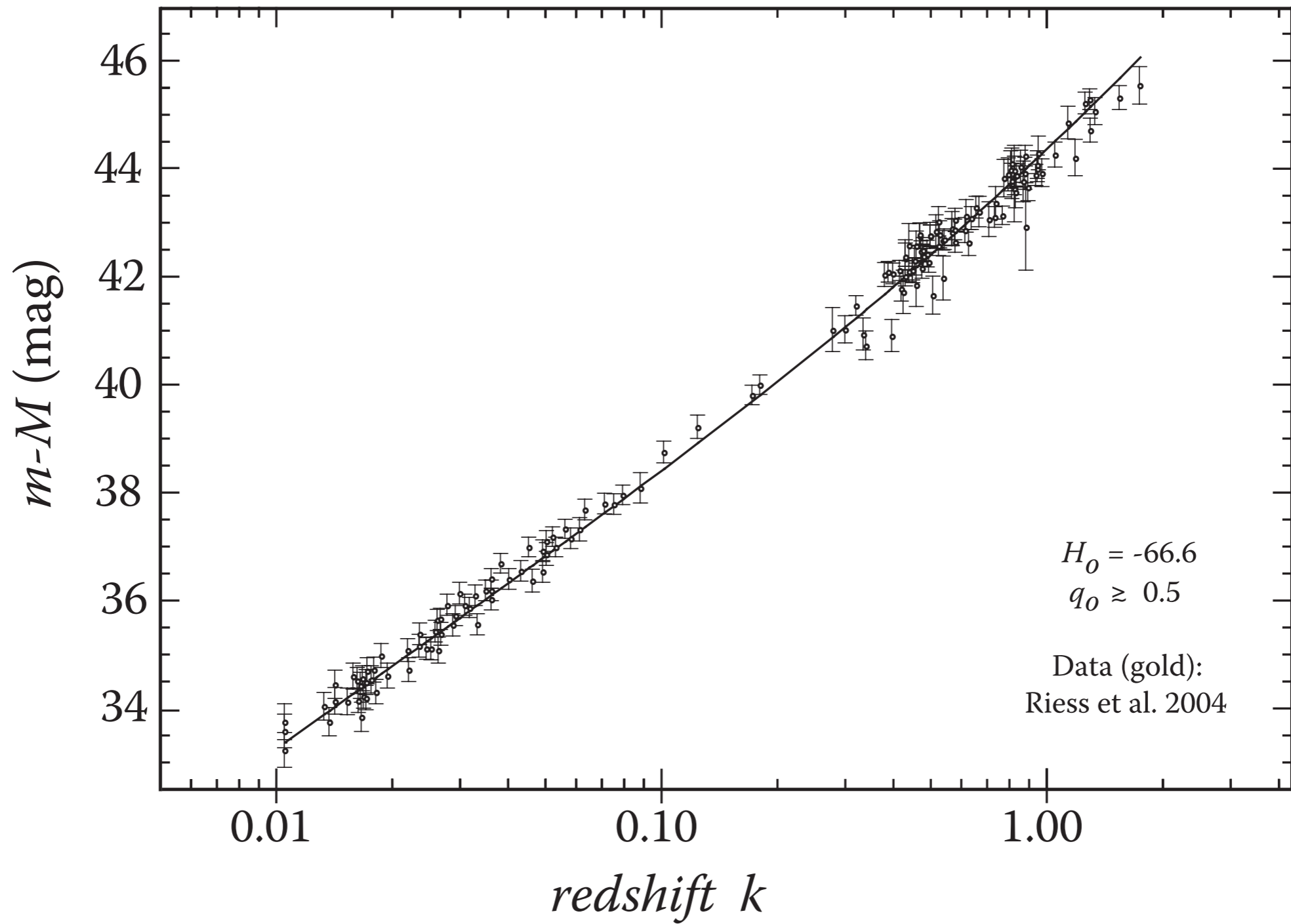
$$m - M = 5 \log_{10} \left( \frac{D_L}{10 \text{ parsecs}} \right).$$

Details: arXiv:astro-ph/0008386v1



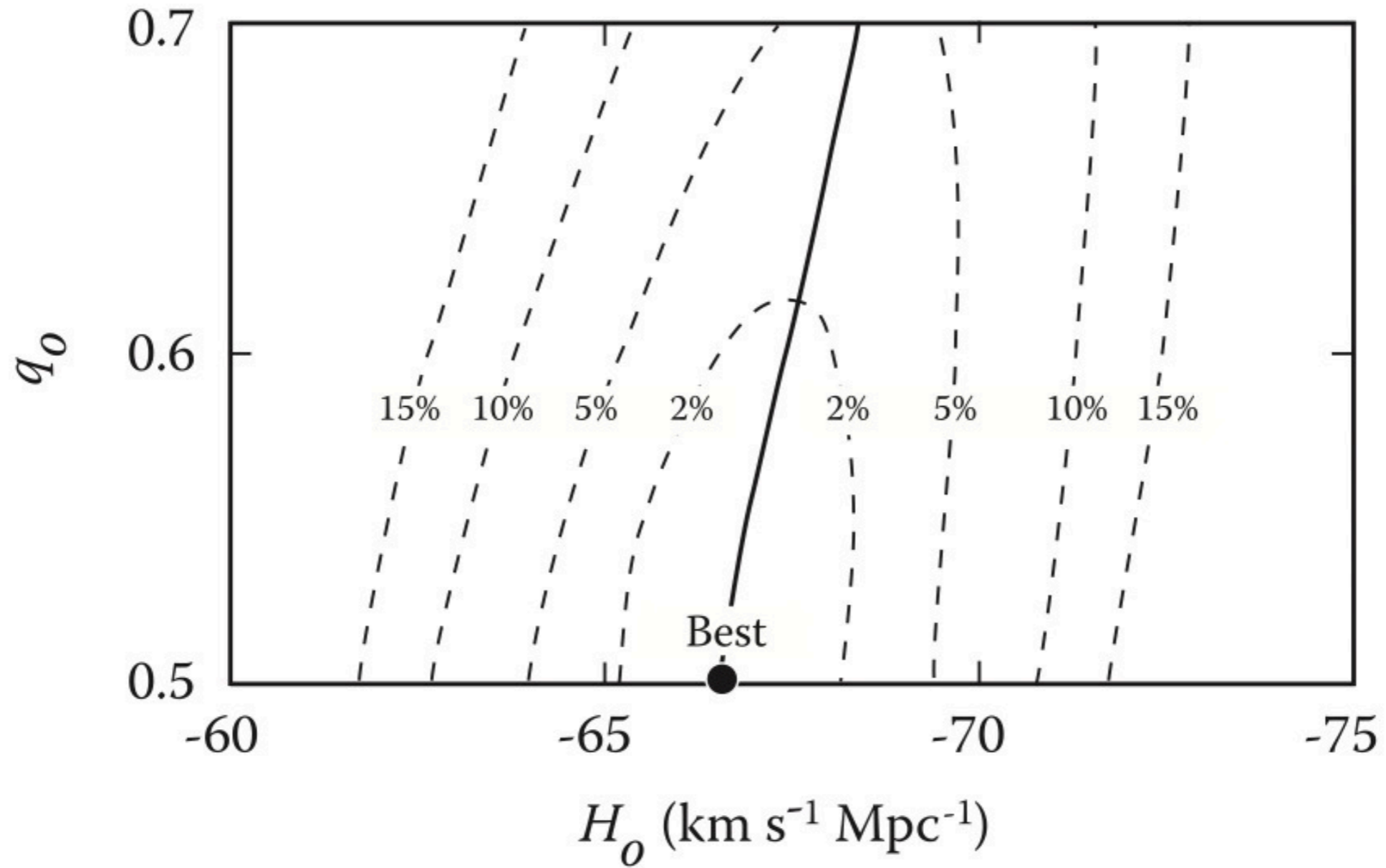
Details: arXiv:astro-ph/0503161v1



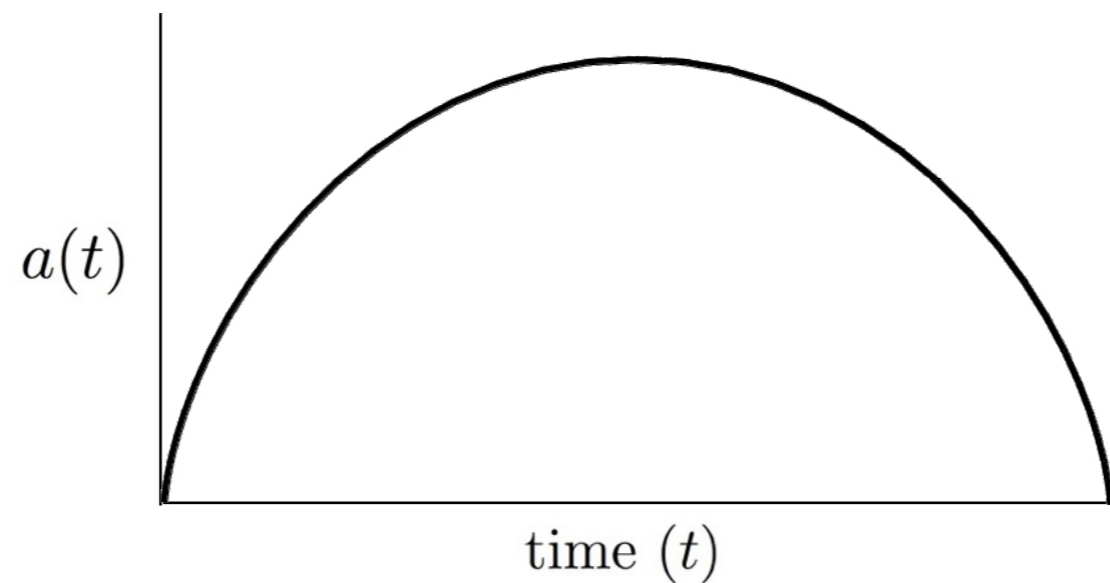
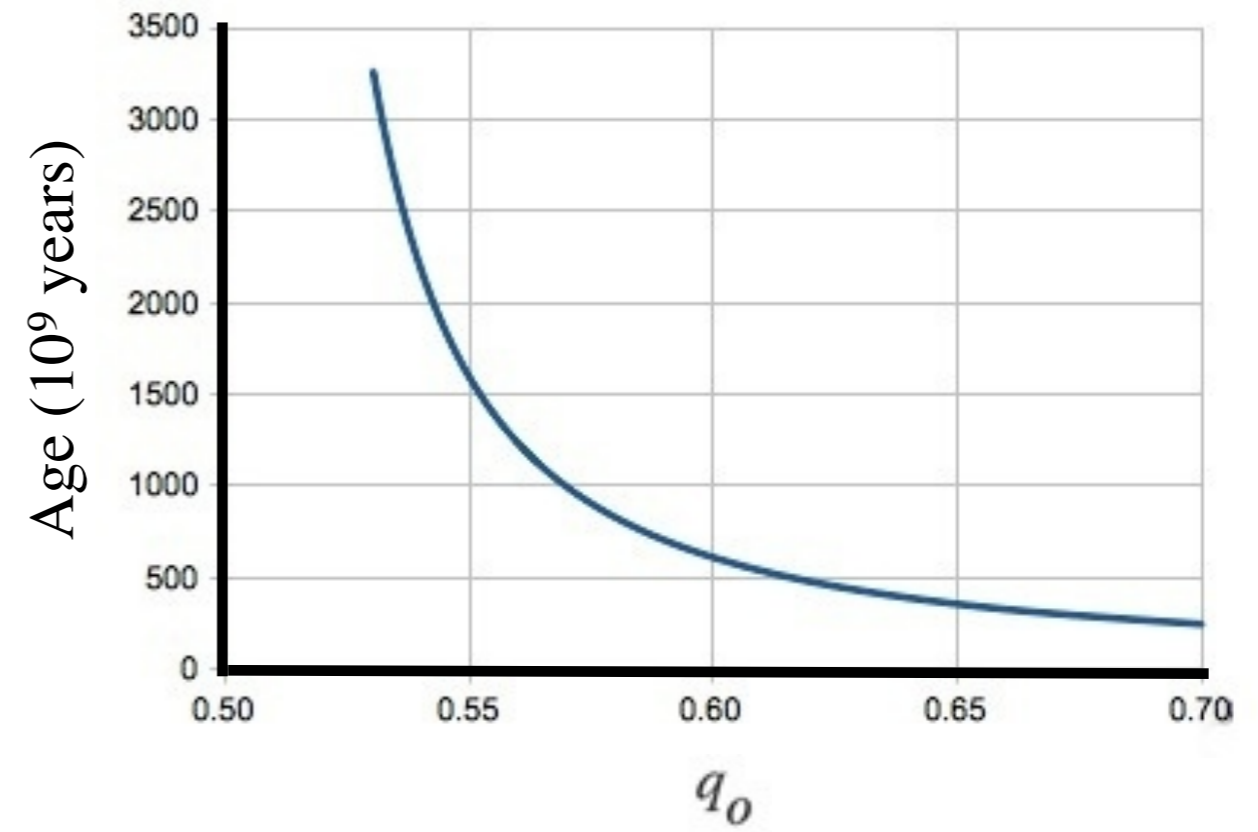
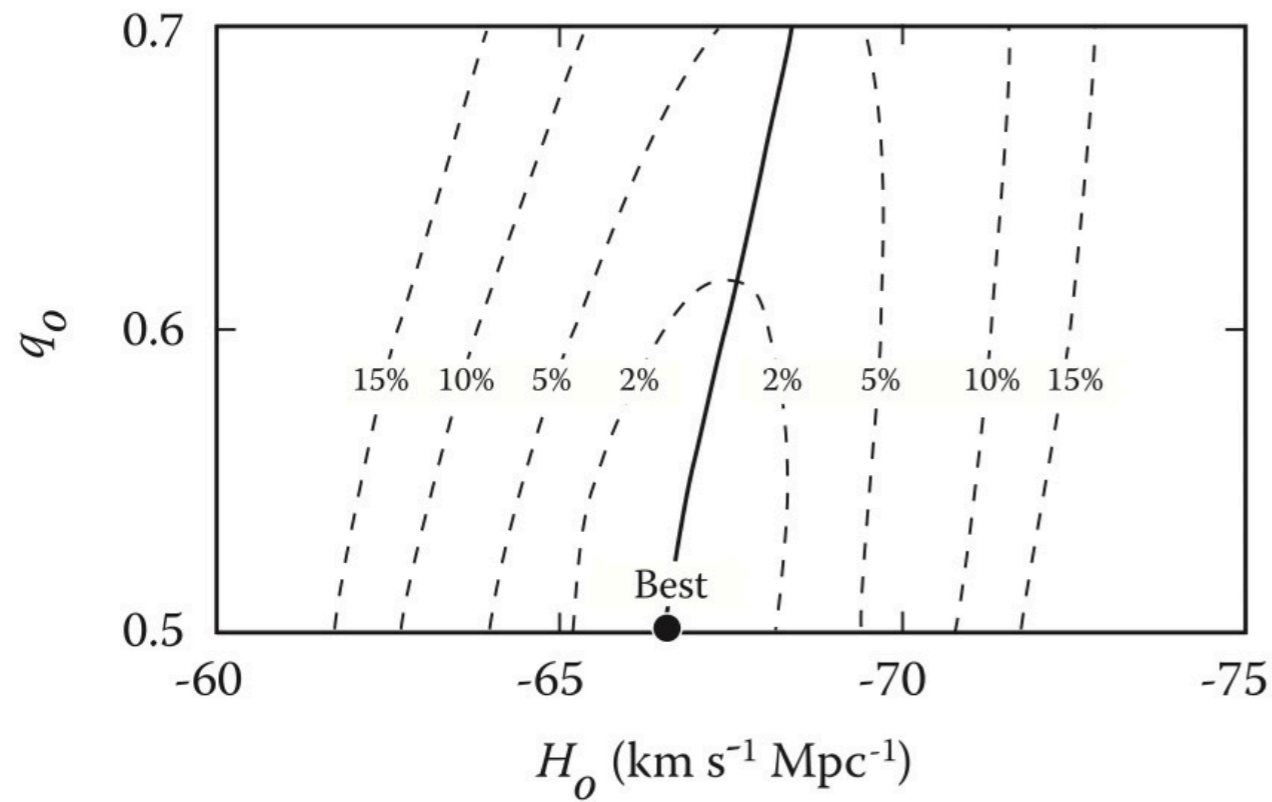


**The Friedmann solution explains accelerating redshift. No “Dark Energy” is needed.**

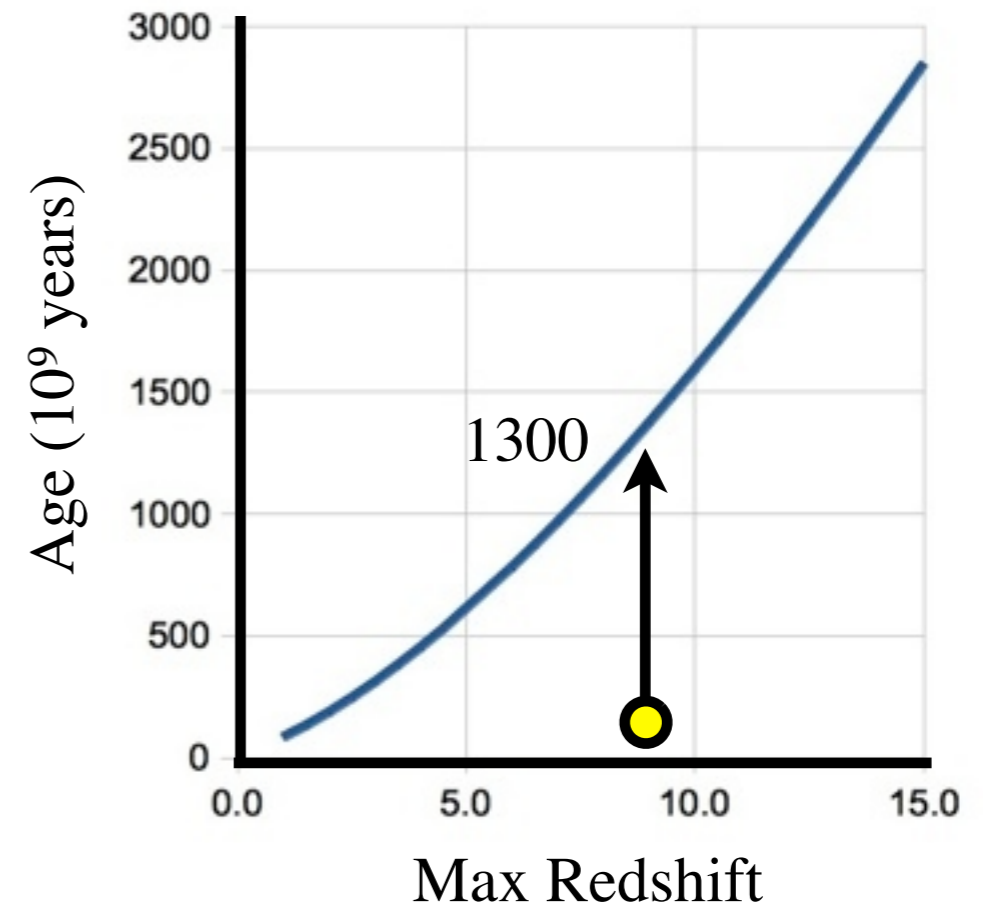
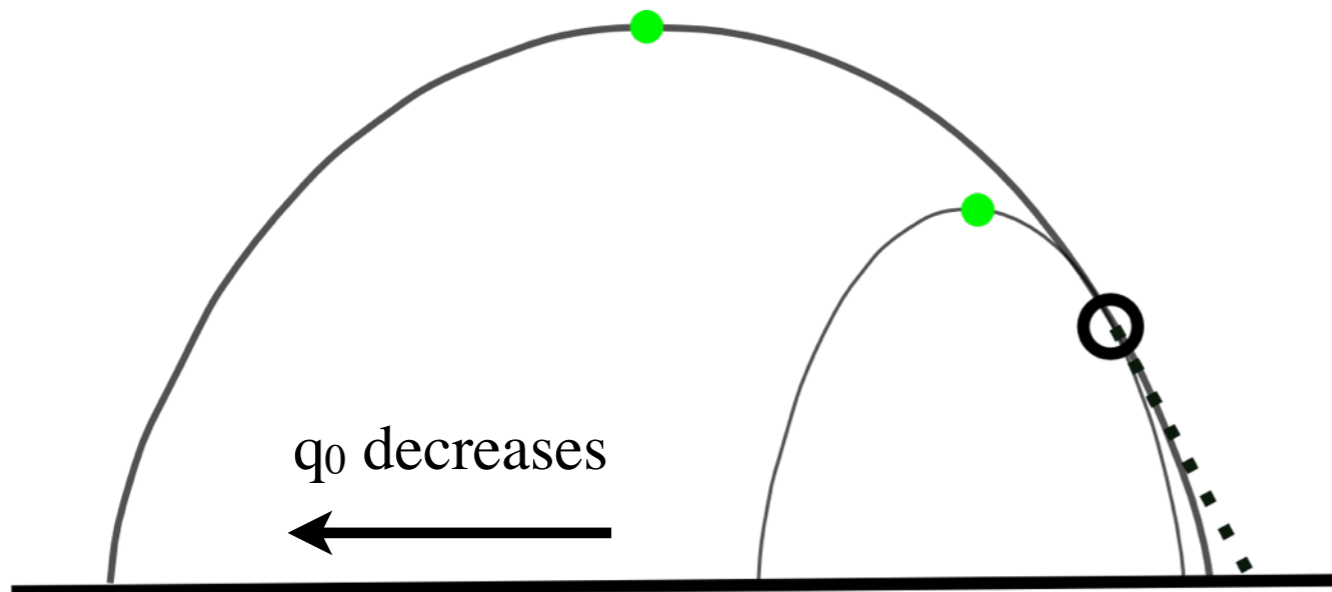
# The Universe Is Nearly Flat ( $q_0 \sim 1/2$ )



# Estimating the Age of the Universe

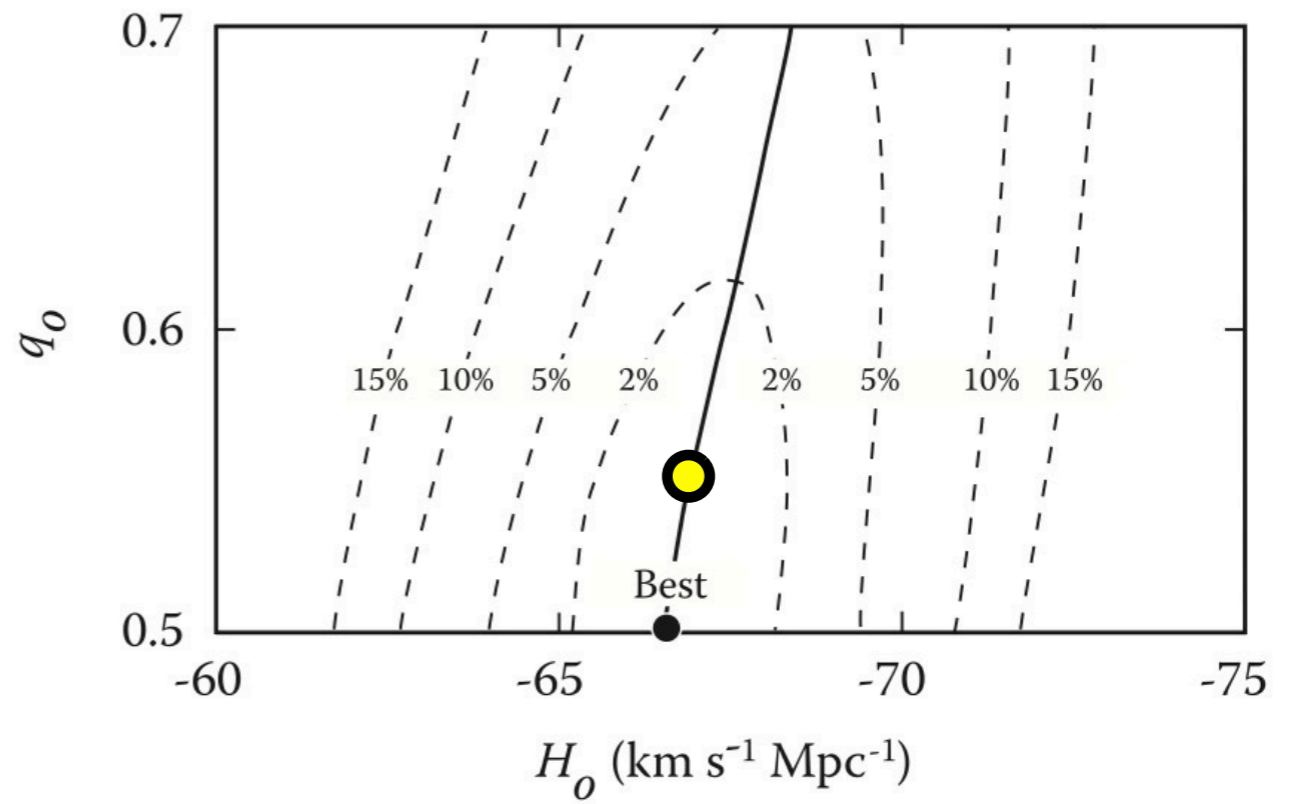
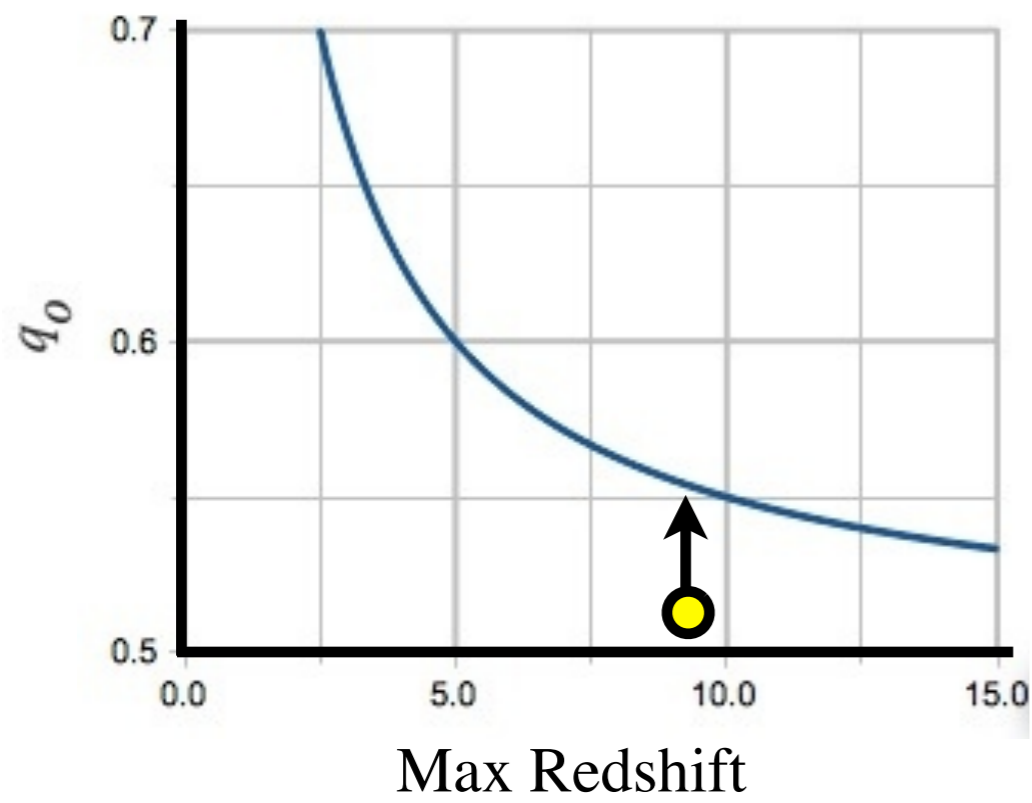


# Estimating minimum age by using the maximum observed redshift



Details: [arXiv:astro-ph/0403012 v1](https://arxiv.org/abs/astro-ph/0403012)

● 8.6 maximum redshift

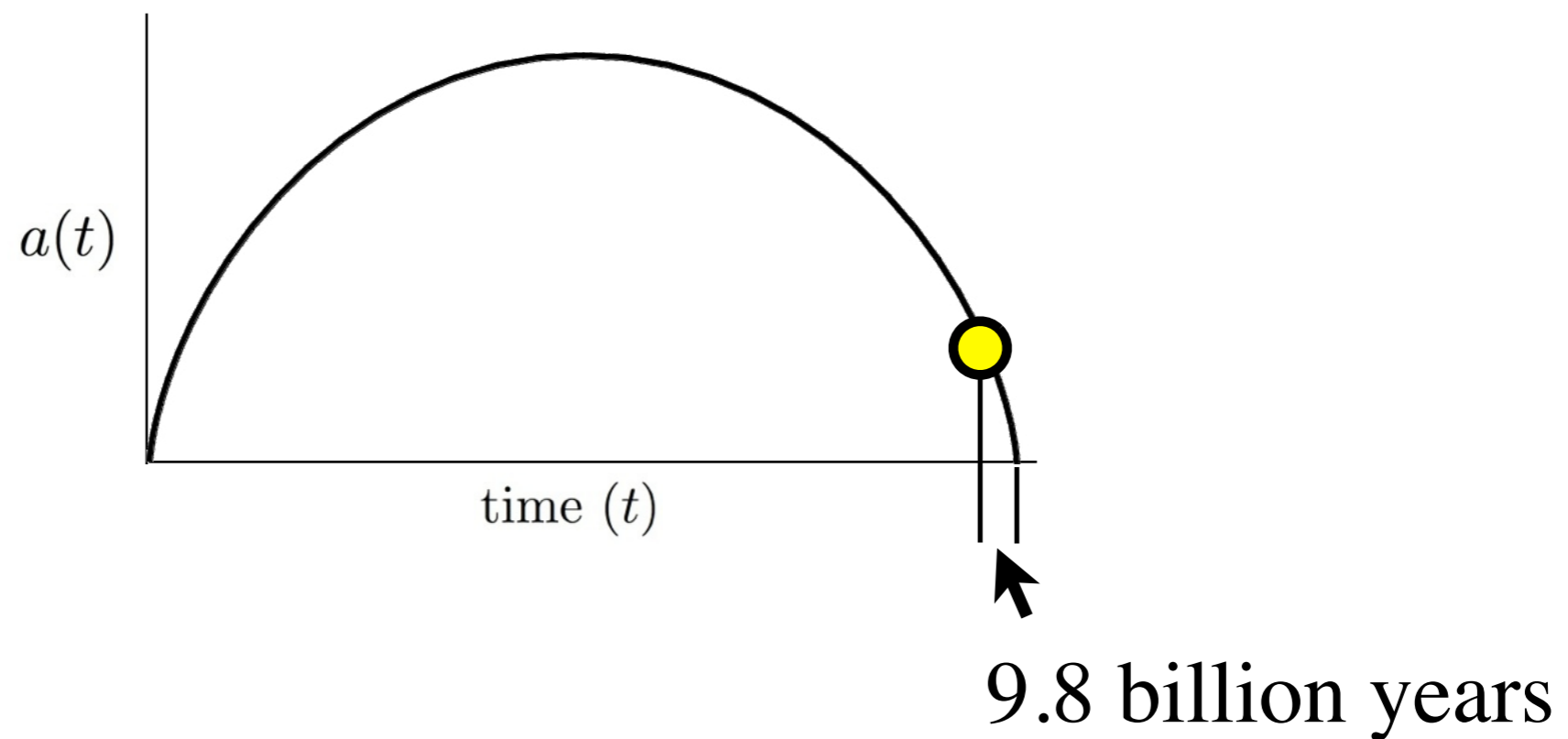


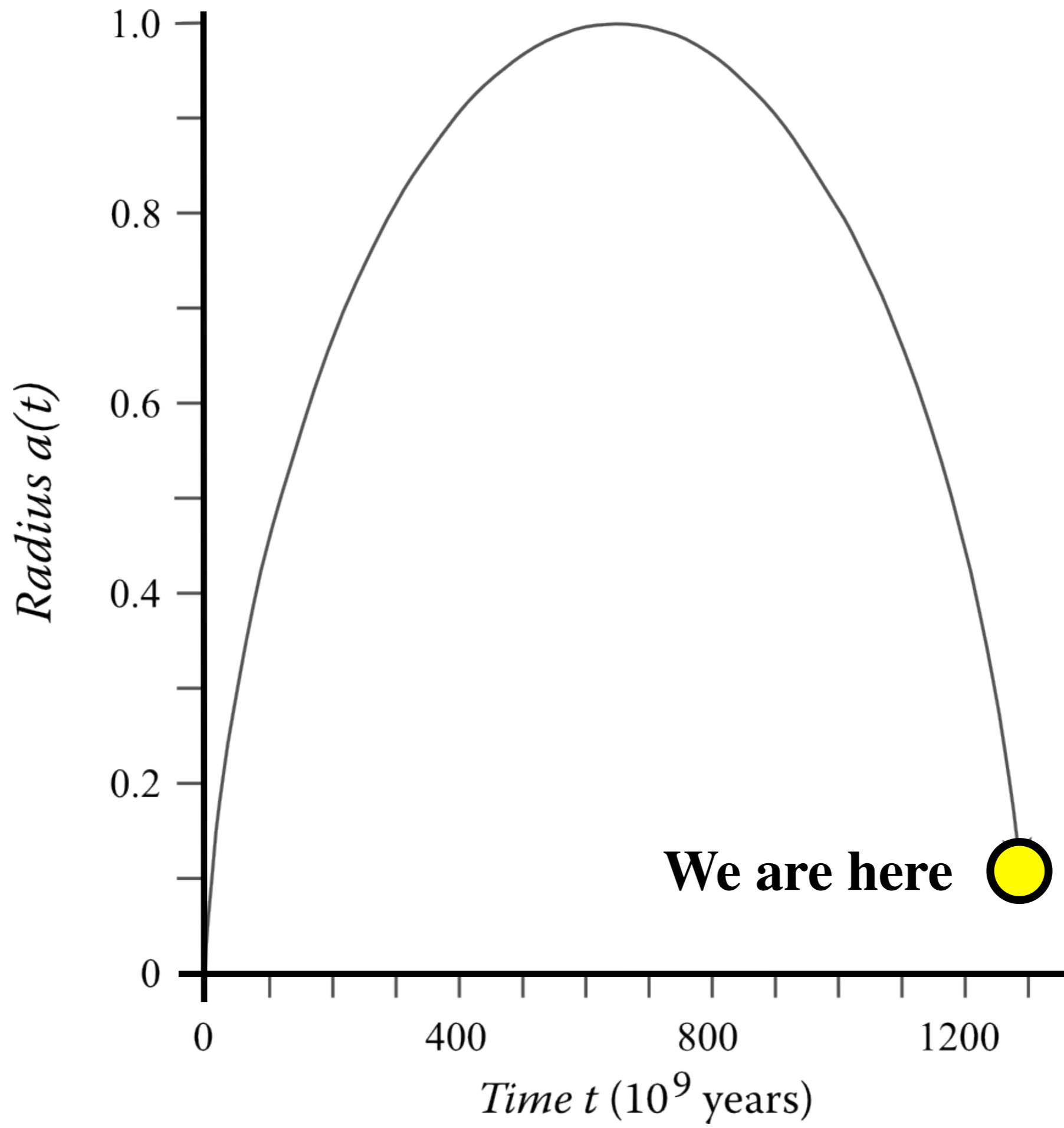
Details: arXiv:astro-ph/0403012 v1

● 8.6 maximum redshift

## Time Until Collapse

For the time until collapse,  $2/3 \times |H_0|^{-1}$  is a good estimate when  $q_0$  is near 0.5. For  $H_0 = -66.6 \text{ km s}^{-1} \text{ Mpc}^{-1}$ , this is 9.8 billion years.





**“Dark Matter”**

**is mass that neither emits  
nor scatters electromagnetic radiation.**

**It cannot be directly detected  
by optical or radio astronomy.**



# There is “Dark Matter”

- The closed Friedmann Universe requires much more matter than has been directly observed.

# There is “Dark Matter”

- The closed Friedmann Universe requires much more matter than has been directly observed.
- Many astronomical studies indicate there is much more matter than has been directly observed.

# There is “Dark Matter”

- The closed Friedmann Universe requires much more matter than has been directly observed.
- Many astronomical studies indicate there is much more matter than has been directly observed.
  - Motions of clusters of galaxies.
  - Rotational speeds of galaxies.
  - Gravitational lensing.
  - Temperature distributions of hot gases.

# A Simple Explanation for “Dark Matter”

- The universe is at least 1300 billion years old.
  - The lifetime of our sun, an average star, is estimated to be of the order of 10 billion years.
  - Stars began forming soon after the Big Bang. Those and most stars from the following 1300 billion years have gone dark.
  - This leads to the hypothesis that
- Most “Dark Matter” likely consists of burned-out stars.





[katoon.org/stp/](http://katoon.org/stp/)